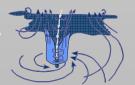
Atmospheric Icing of Transmission Line Conductor Bundles



Tobias Wagner



Incidences

Winter Storms

Germany November 2005

- in Münsterland ca. 250.000 people without electricity for up to a week monetary damage of over 100 million euro
- Northern America January 1998 just in Canada (Québec and Ontario) ca. 1300 high voltage power line towers failed over 2 million people without electricity for weeks 25 people died monetary damage of several billion dollars



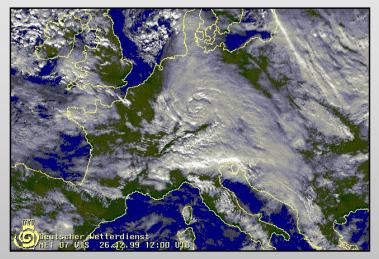
Germany November 2005

Federal Office of Civil Protection and Disaster Assistance (BBK)

Disaster Simulation (LÜKEX 2004)

Blackout in Baden-Württemberg due to winter storm in the magnitude of Lother (1999) in combination with heavy snowfall

- Telecommunication
- Livestock farming
- Logistics in general and especially food supply
- money transaction and supply







Increasing vulnerability to blackouts of modern societies with growing energy demand

Increasing application of bundled conductors to coup the energy demand

Leading to increased ice loads on transmission lines

How can we asses the risk of transmission line failures?

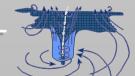
- Static ice loads on iced transmission lines
- Aerodynamic coefficients of the iced conductors

Simulation of Ice Accretion

- Flow field around conductor bundles
- Significant types of precipitation
- Dry and wet ice growth

Hazard Scenarios

- Identifying weather scenarios
- Combining wind and ice loads



Ice Evolution

Rime

Density of 100-600 kg/m³ At temperatures below 0°C Can occur as in-cloud and as precipitation icing

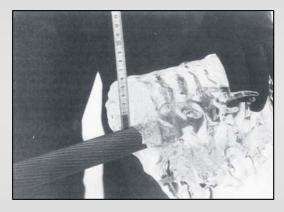
Glaze

Density up to 917 kg/m³ At temperatures around 0°C Occurs commonly in freezing rain

Wet Snow

Density of 200-990 kg/m³ At temperatures just above 0°C Caused by wet snow precipitation

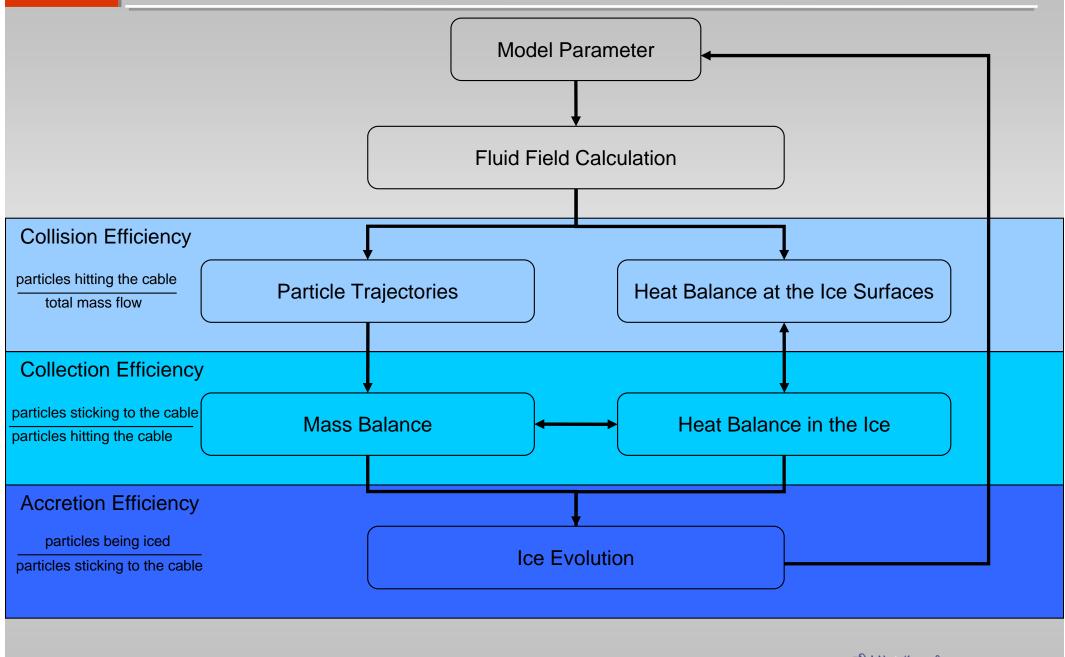








Simulation Scheme



Incompressible and Isothermal Navier-Stocks Equation

Conservation of Mass

Conservation of Momentum

Numerical Model

- Reynolds-Average-Navier-Stocks (RANS) equation
- k- ϵ Turbulence Model
- Numerical stabilisation with Galerkin Least Squares

Solver

- Stationary Segregated Solver
- Pardiso as linear system solver
- Absolute Tolerance of 0.001

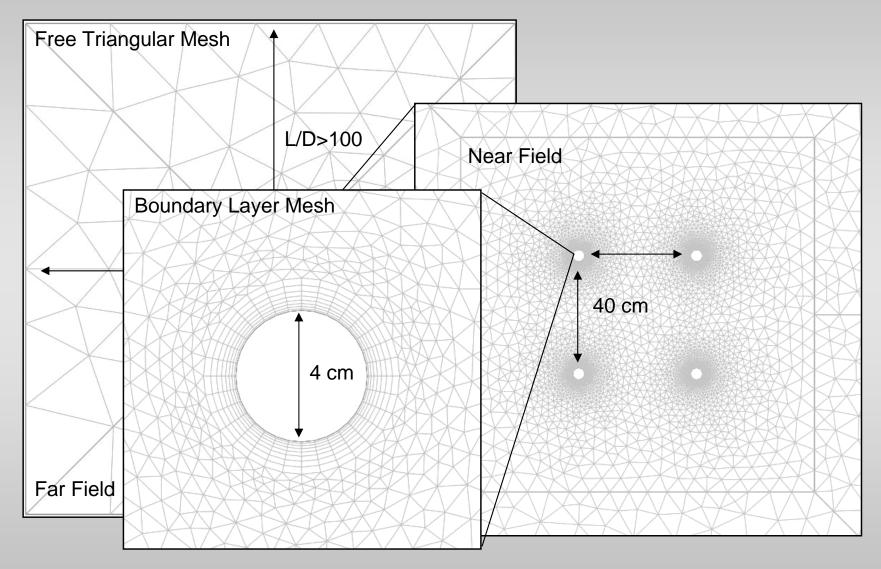
$$\nabla \cdot \mathbf{u} = 0$$

$$\rho \frac{\partial \mathbf{u}}{\partial t} + (\rho \mathbf{u} \cdot \nabla) \mathbf{u} = -\nabla p + \nabla \cdot \tau + \mathbf{F}$$

$$\tau = \eta (\nabla \mathbf{u} + (\nabla \mathbf{u})^{\mathrm{T}})$$

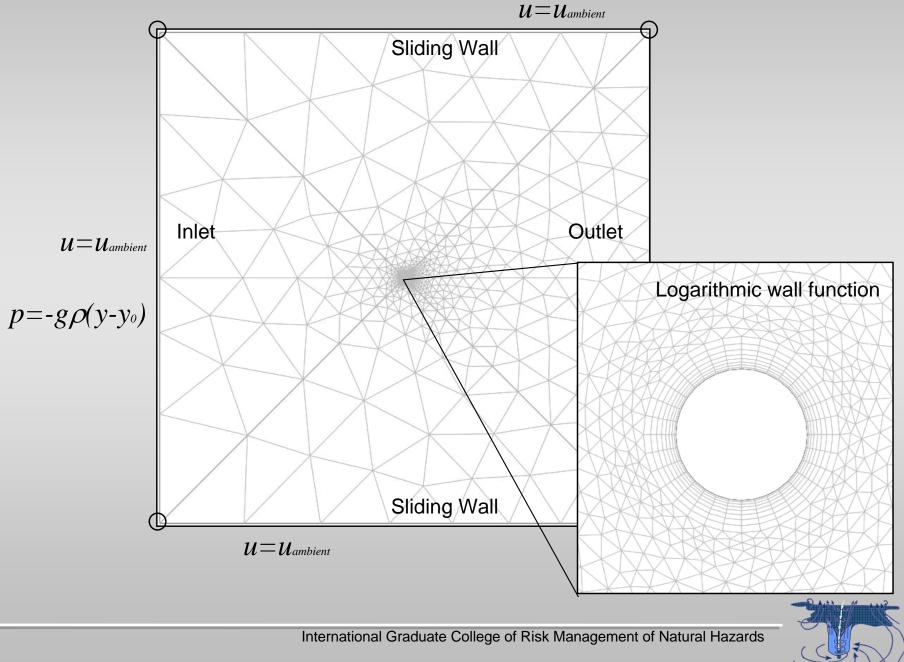


Mesh

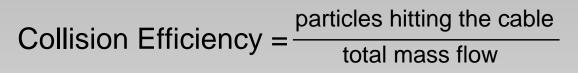


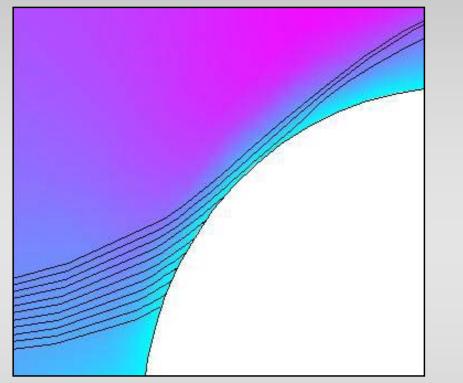


Boundary Conditions



Particle Trajectories



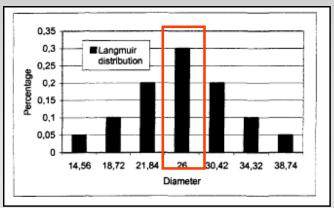


Particle Tracing

$$F = \pi r_p^2 \rho (\overline{u} - \overline{u}_p)^2 (1.84 (\text{Re}_p)^{-0.31} + 0.293 (\text{Re}_p)^{0.06})^{3.45}$$

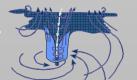
$$\operatorname{Re}_p = (\left| \overline{u} - \overline{u}_p \right| 2r_p \rho) / \eta .$$

Droplet Spectra

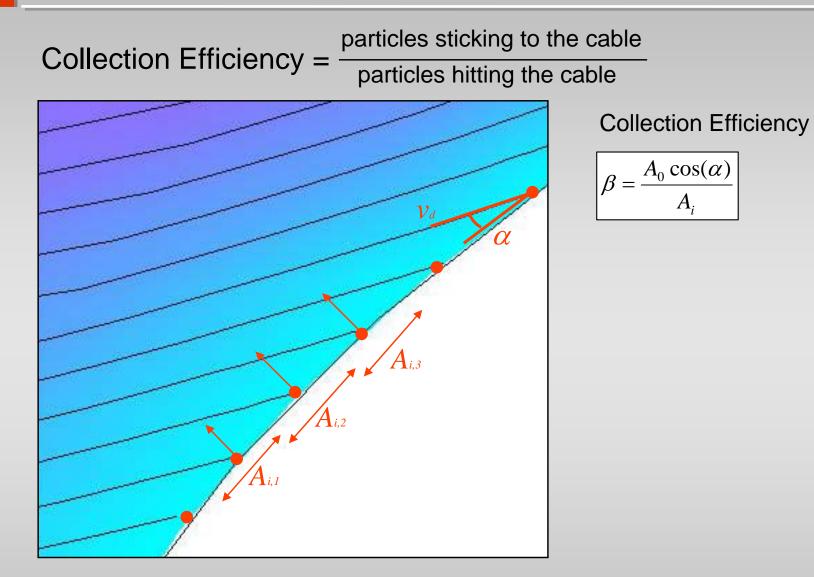


Particle Trajectories of a droplet with

- medium volume diameter (MVD)
- initial trajectory spacing of (A₀)
- liquid water content (LWC)

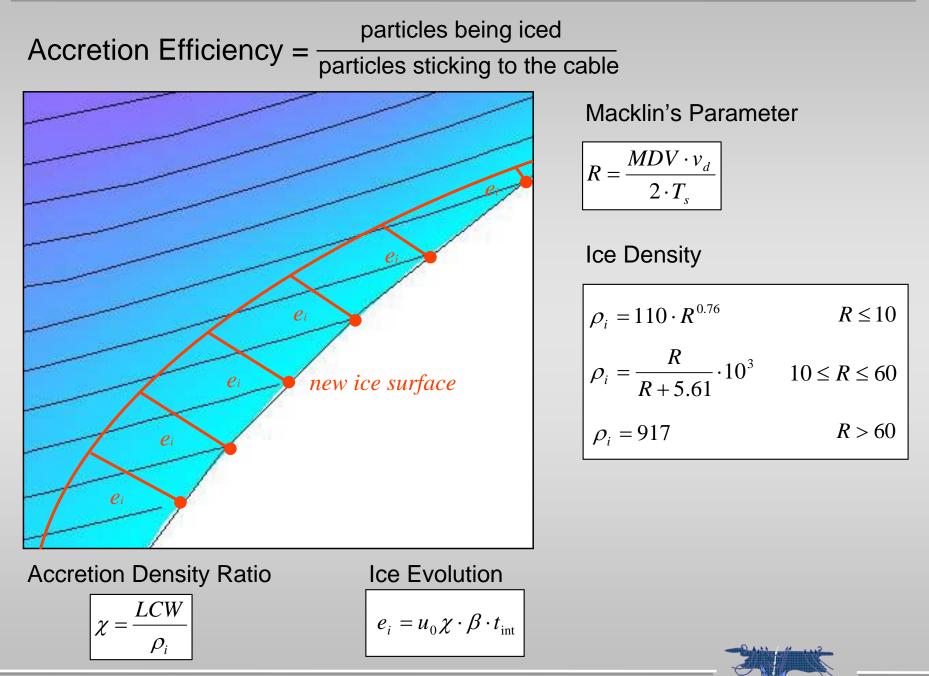


Mass Balance





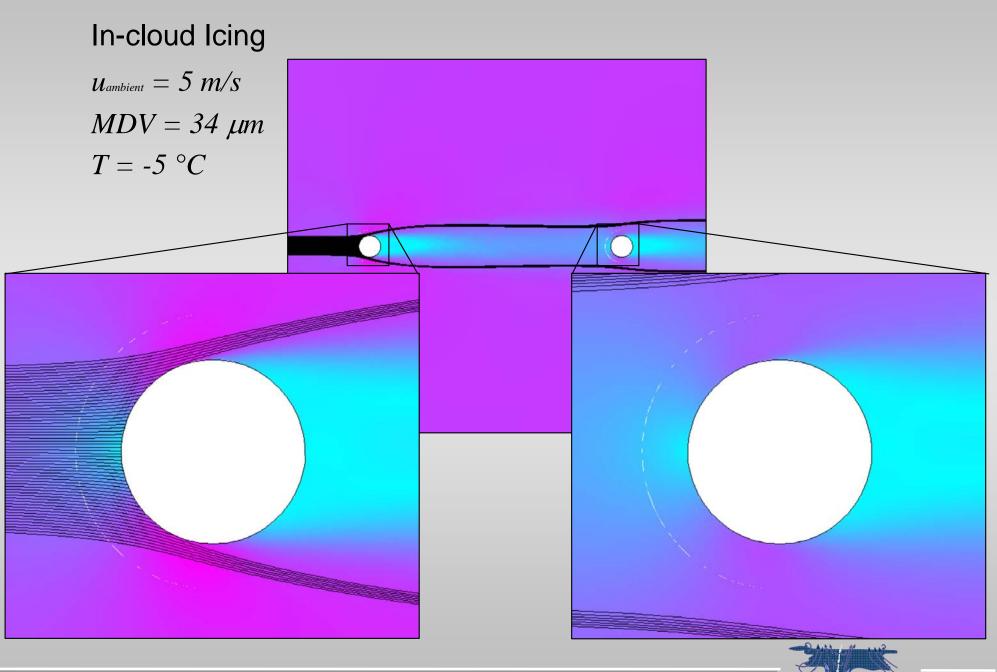
Ice Evolution



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Shielding Effect



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