Thermal performance of a deviated deep borehole heat exchanger: insights from a synthetic coupled model

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Introduction: Earth heat exchangers are drawing increasing attention and popularity due to their efficiency, sustainability universality. However, the functioning and numerical modeling of deep borehole heat exchangers (DBHE) in contrast to those of shallow conventional systems, remain poorly known [1].

Computational methods: In this work, the influence of subsurface physical parameters, DBHE materials and operating settings had been investigated, in order to assess their impacts on deep-system performance. To this end, COMSOL Multiphysics, with Pipe Flow and Subsurface Modules, was used (fig. 1). A sensitivity analysis is conducted by varying one parameter at a time from the base scenario (BS) (table 1).

$$\rho AC_{p} \frac{\partial T}{\partial t} - \nabla \cdot A\lambda \nabla T + \rho AC_{p}u \cdot \nabla T$$

$$= Q_{f} + Q_{wall} + Q_{p}$$

$$Q_{wall} = (HZ)_{eff} (T_{ext} - T)$$
Boundary conditions (BC) (nipfl)
$$q_{in} = 500 \text{ m}^{3}.d^{-1} \quad p_{out} = 101 \text{ 325 Pa}$$

$$T_{in} = 0^{\circ}C \qquad T_{out} = \text{Outflow}$$
Boundary conditions (BC) (ht, tds, dl)
$$h = 0 \text{ m}; c = 0 \text{ g-l-1}; T = 10 \text{ °C}$$

$$c = 522 \text{ g-l-1}; T = 231 \text{ °C}$$

$$c = c(z) \text{ g-l-1}$$

$$d = 10^{\circ} \text{ m.s-1}; c = c(z) \text{ g-l-1}$$

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$$d = 10^{\circ} \text{$$

Figure 1. Boundary conditions and scheme of the model

<u>ht</u>: Heat Transfer in porous media

<u>h</u>: fixed hyraulic head BC

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Results: base scenario (BS) (fig. 2) relative average specific heat extraction rate (table 2) are presented with restrictions due to confidentiality reasons.

Table 1. Parameters examined in the sensitivity analysis, their base scenario values as well as upper/lower limits

		1 1 '		
Parameter	Unit	Lower limit	Base value	Upper limit
λ_{s}	$J.m^{-1} \cdot s^{-1} \cdot K^{-1}$	1.5	3	4.5
$\rho_s C_s$	10 ⁺⁶ J·m ⁻³ ·K ⁻¹	1.5	2.5	3.5
ω	1	0.01	0.1	0.2
α_{L}	m	0.1	0.5	10
λ_{g}	J.m ⁻¹ ·s ⁻¹ ·K ⁻¹	1	2	5
\mathbf{e}_{p}	m	0	6.1×10 ⁻⁵	4.6×10 ⁻⁵
T_{in}	$^{\circ}C$	-5	0	5
Q_{in}	$m^3 \cdot d^{-1}$	250	500	1000

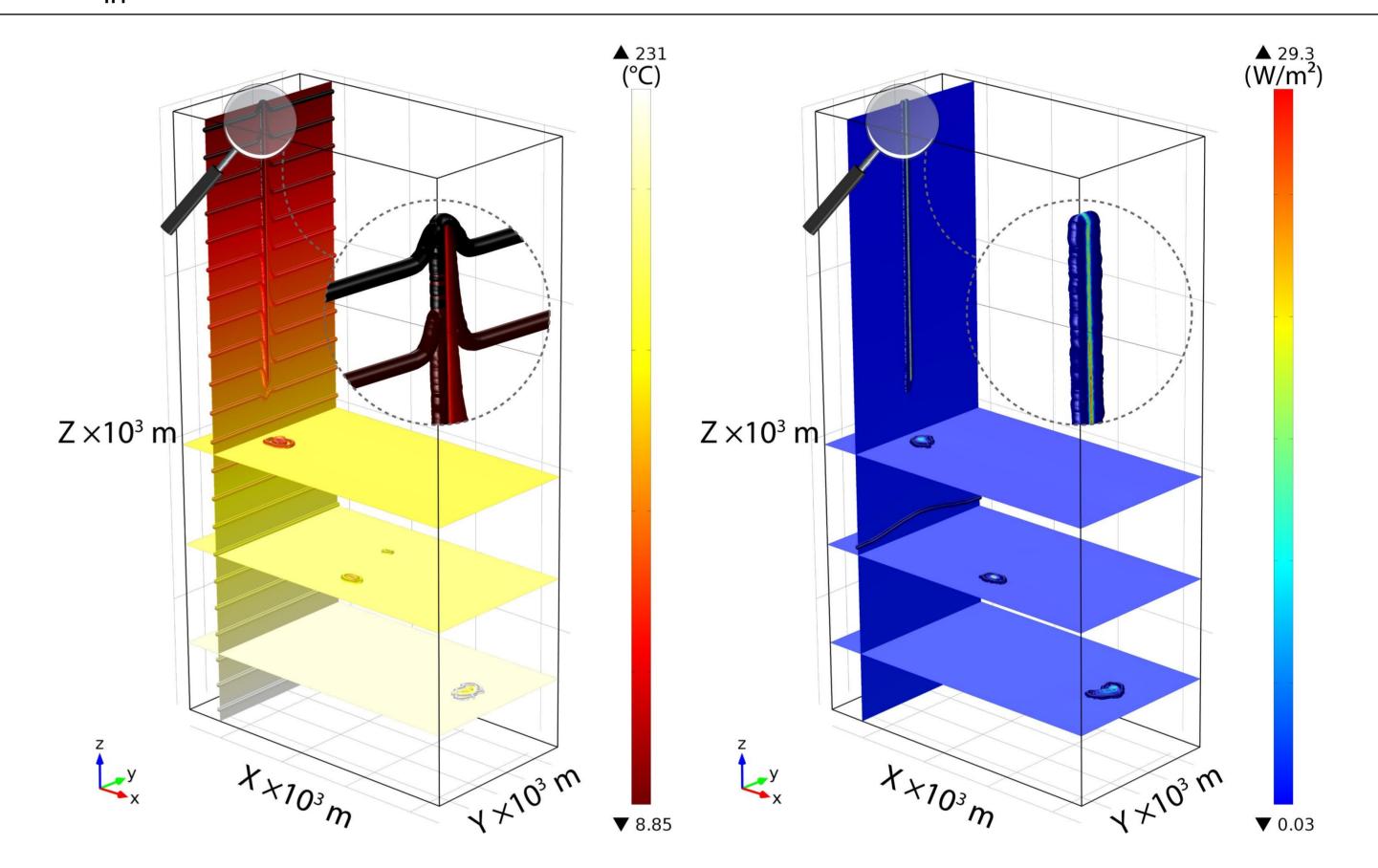


Figure 2. Temperature (left) and gradient magnitude (right) distributions in porous media for the BS after 50 years

Table 2. Summary of relative average specific heat extraction rate with respect to BS over 50 years

D = n =	Relative average specific heat extraction rate			
Parameter	Lower limit	Upper limit		
λ_{s}	+25%	-15%		
$\rho_s C_s$	0%	0%		
ω	-3%	+3%		
α_{L}	0%	0%		
λ_{g}	3%	-3%		
e _{pipe}	0%	0%		
T_{in}	-1%	0%		
Q_{in}	-35%	+17%		

Conclusions: Parameters affecting thermal performance of the DBHE the most are associated with conductive components of flow. Thermal short-circuit between descending ascending and fluid was emphasized need to and be studied.

References:

1. Le Lous, M.; Larroque, F.; Dupuy, A.; Moignard, A., Thermal performance of a deep borehole heat exchanger, *Geothermics*, 57, 157 – 172 (2015)

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