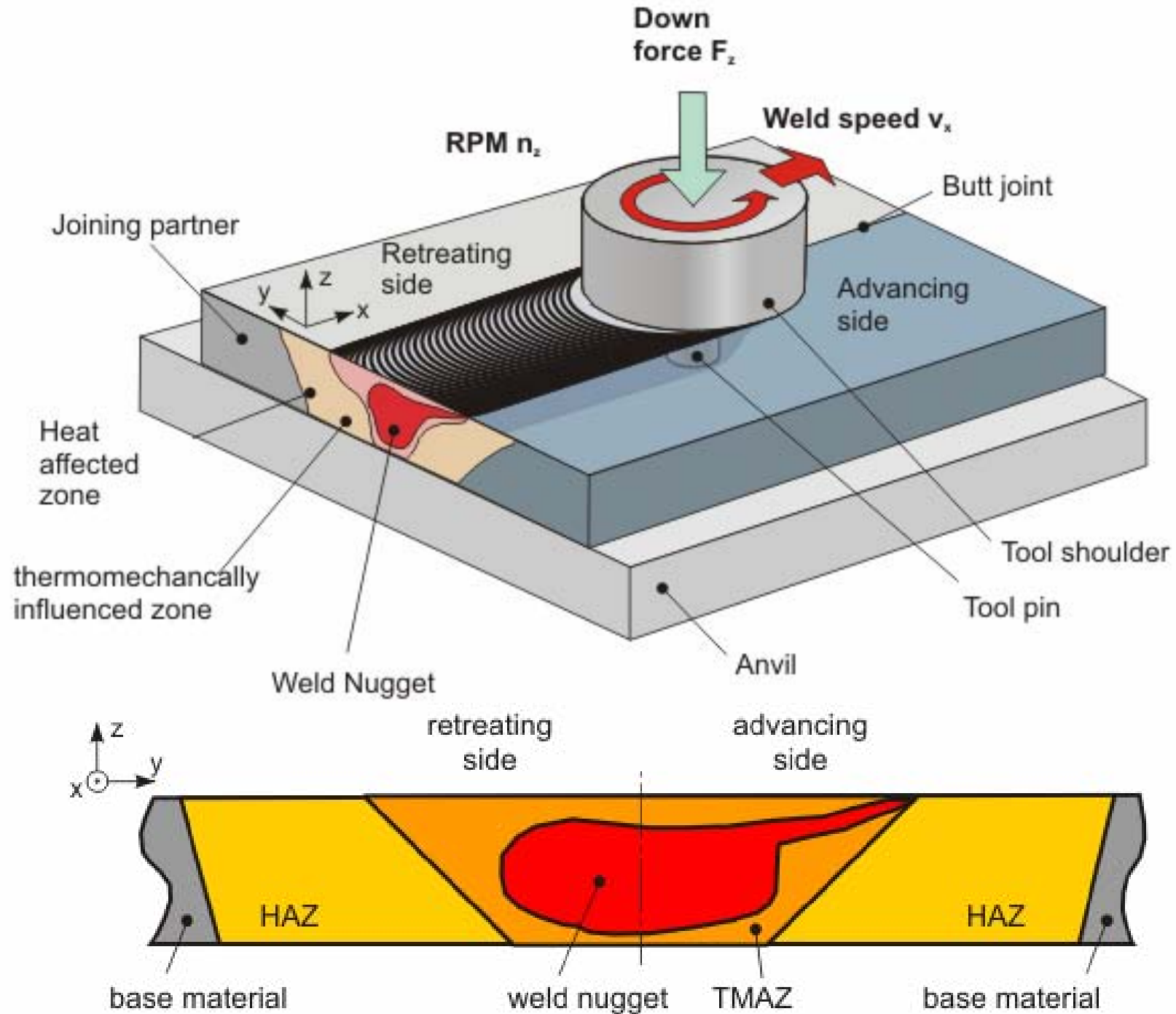


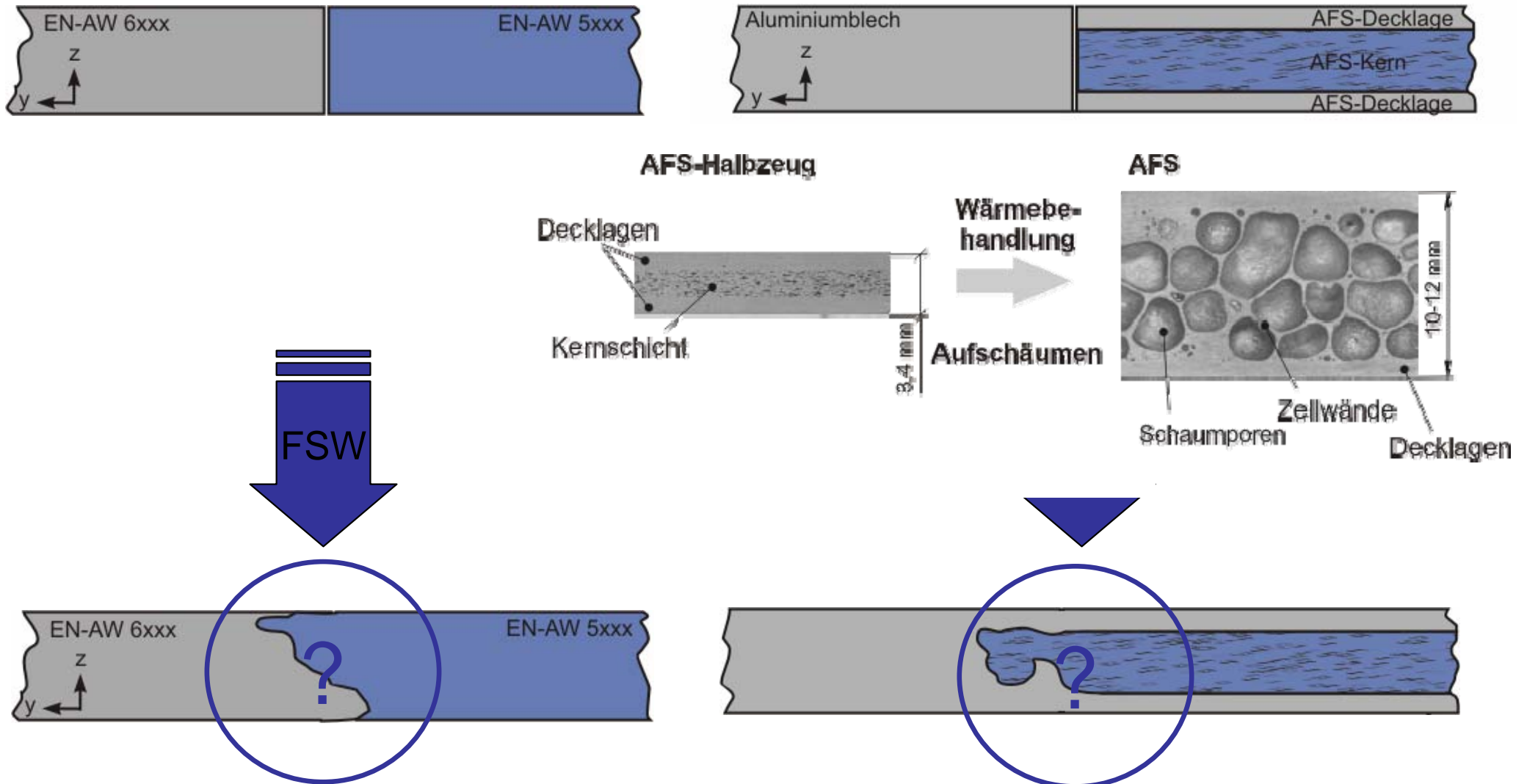
Dipl.-Ing. Stephan Manuel Dörfler

## **Advanced Modeling of Friction Stir Welding – Improved Material Model for Aluminum Alloys and Modeling of Different Materials with Different Properties by Using the Level Set Method**

- Introduction to Friction Stir Welding
- Motivation and target of presented work
- Model setup
  - Metallic material modeling in CFD – empirical material model for Aluminum Alloys and it's implementation
  - Introduction of the level set method to FSW-Modelling
- Results Modelling FSW
- Results Modelling Extrusion Process
- Conclusion

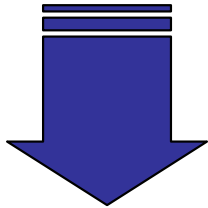






## FSW properties:

- Very high plastic strains within the weld nugget
- Great variety of strain rates, strains and temperature
- Ususally joining two different materials with different properties

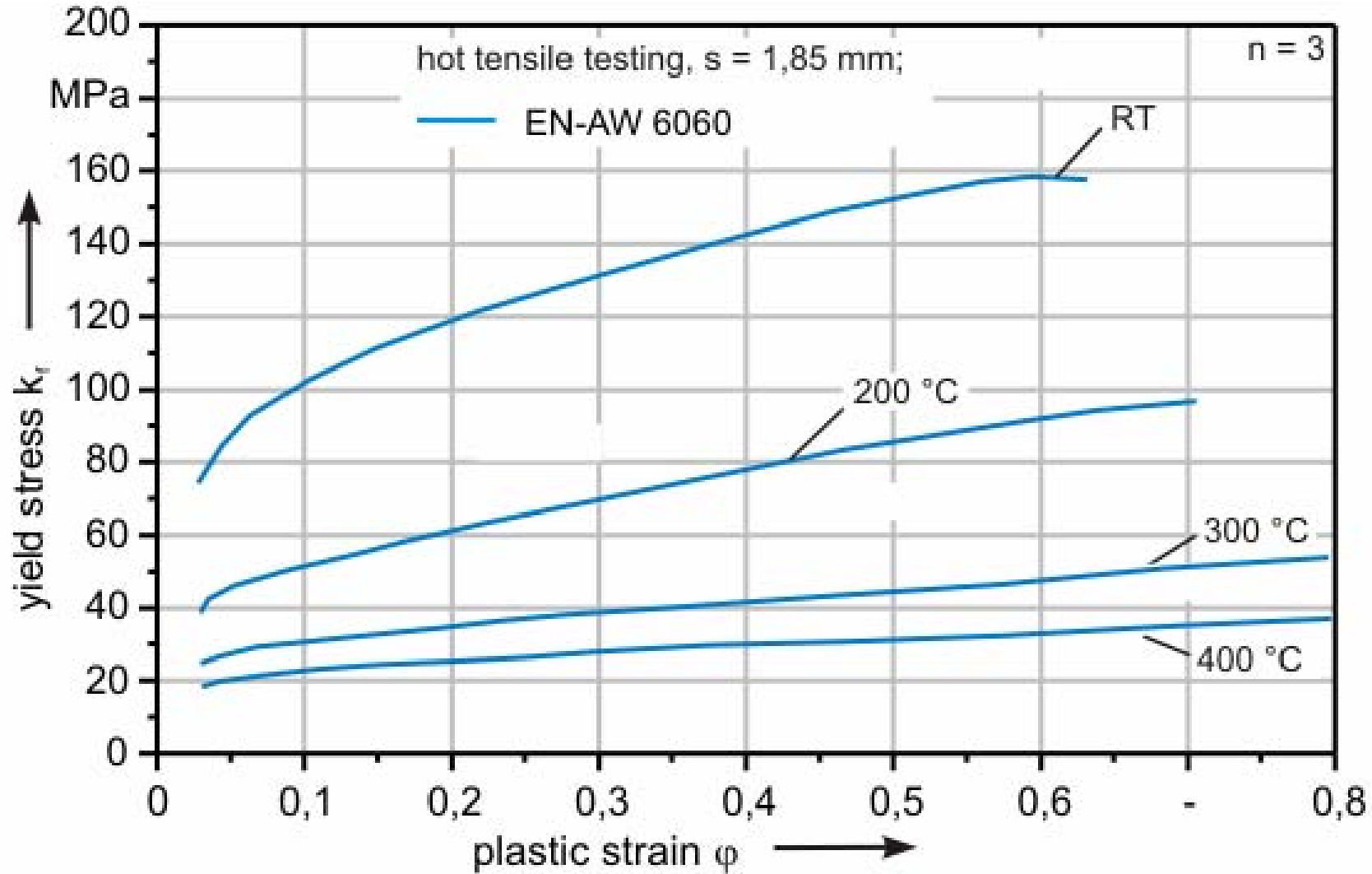


## Use of CFD – Model

### Extension of the State of the Art by

- Adapted material model for Aluminium alloys (modelling temperature and strain rate dependency of yield stress)
- Using level-set method for integration of two different material models

**Yielding behavior of Aluminium alloys at high strains and elevated temperatures**



To cope with specific behavior of aluminum alloys at elevated temperatures and high strains, a new, empirical material model is proposed:

Basic concept:

$$k_f(T) = a - b \cdot \ln(\dot{\varphi} + c)$$

Introducing temperature dependency of a, b and c:

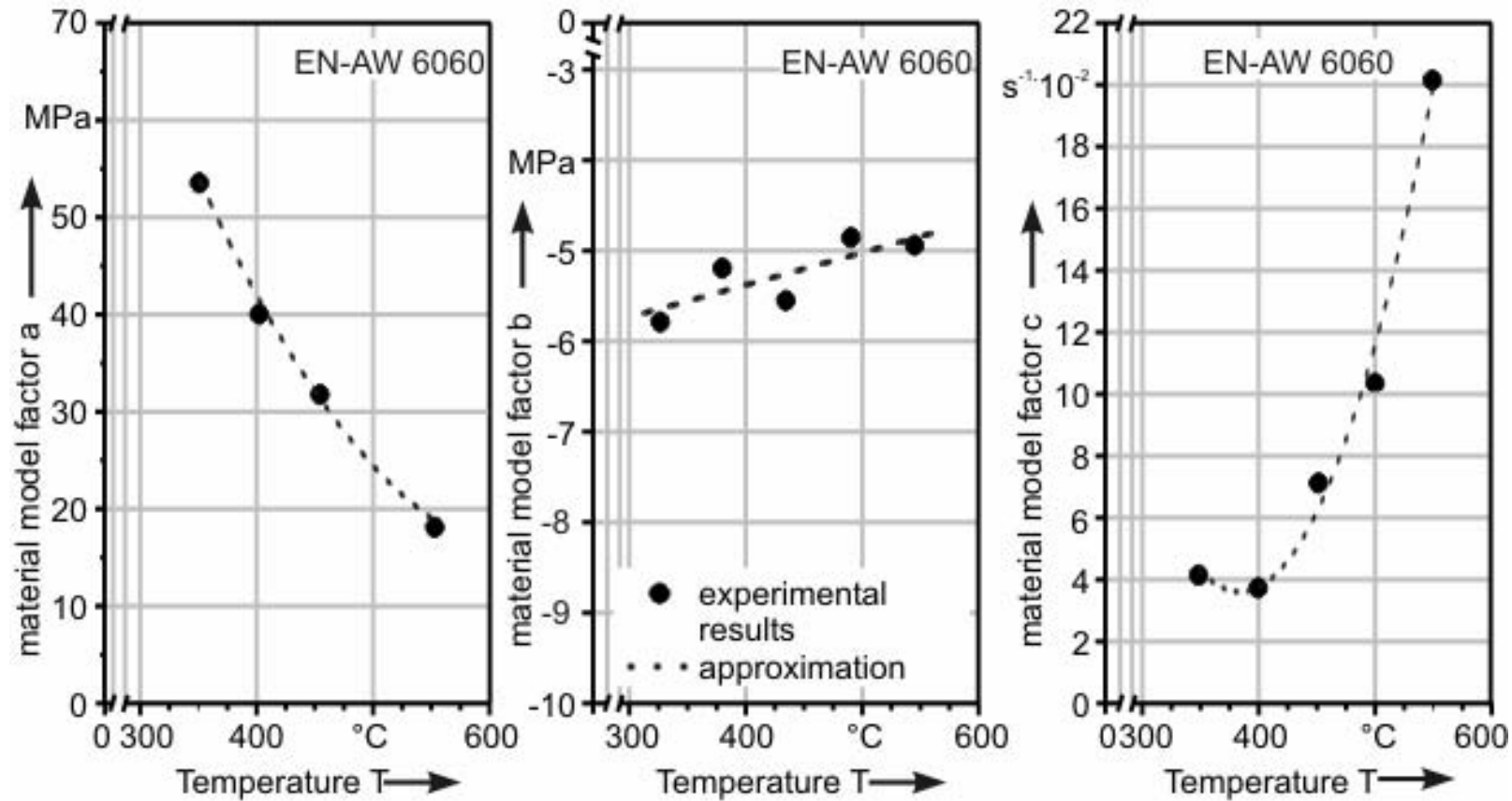
$$a = a_a + b_a \cdot T + c_a \cdot T^2$$

$$b = a_b \cdot (T - b_b)$$

$$c = a_c + b_c \cdot T + c_c \cdot T^2$$

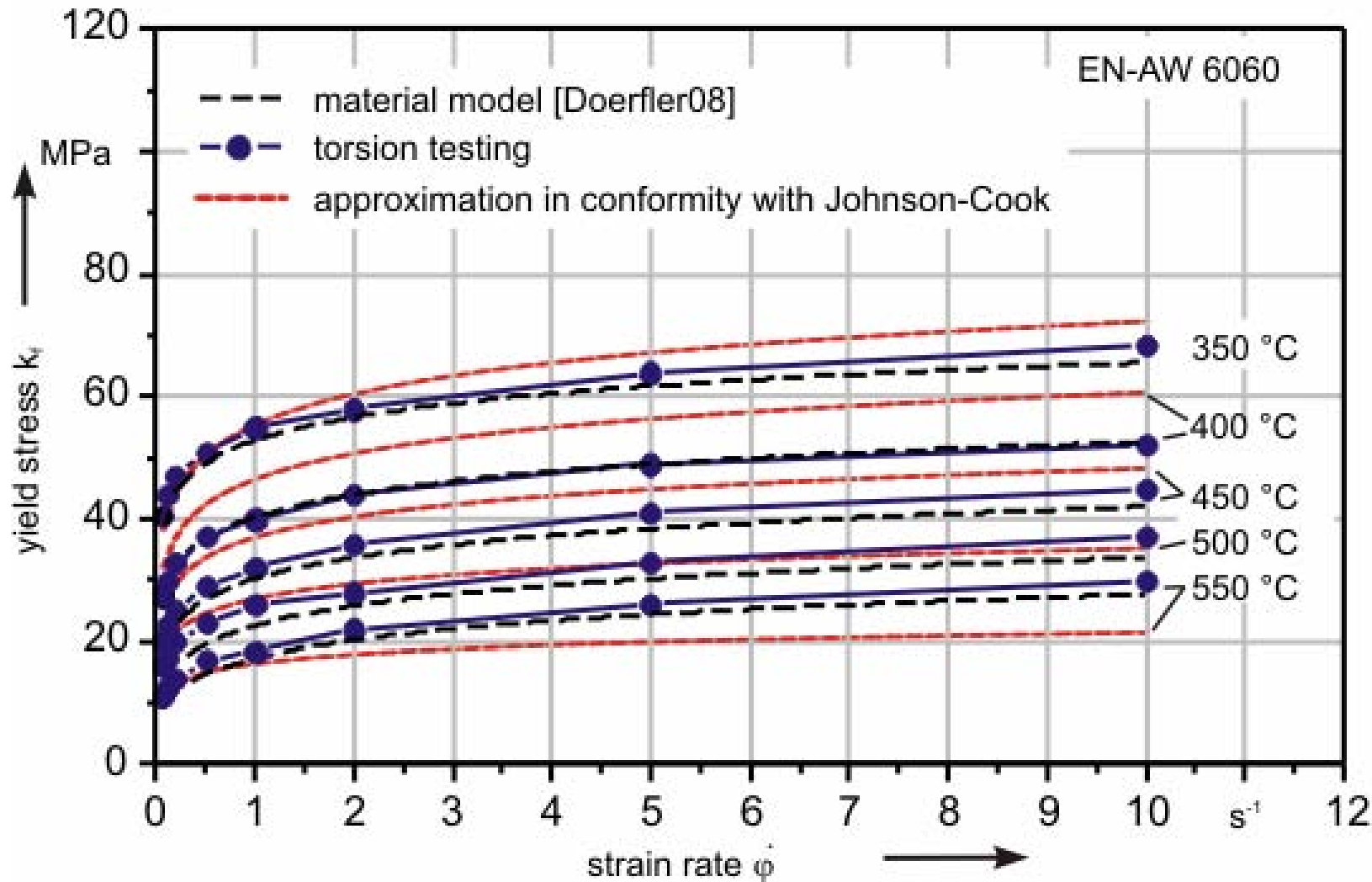
Results in empirical material model [Doerfler08]:

$$k_f(\dot{\varphi}, T) = \underbrace{a_a + b_a \cdot T + c_a \cdot T^2}_a - \underbrace{a_b \cdot (T - b_b)}_b \cdot \ln(\dot{\varphi} + \underbrace{a_c + b_c \cdot T + c_c \cdot T^2}_c)$$



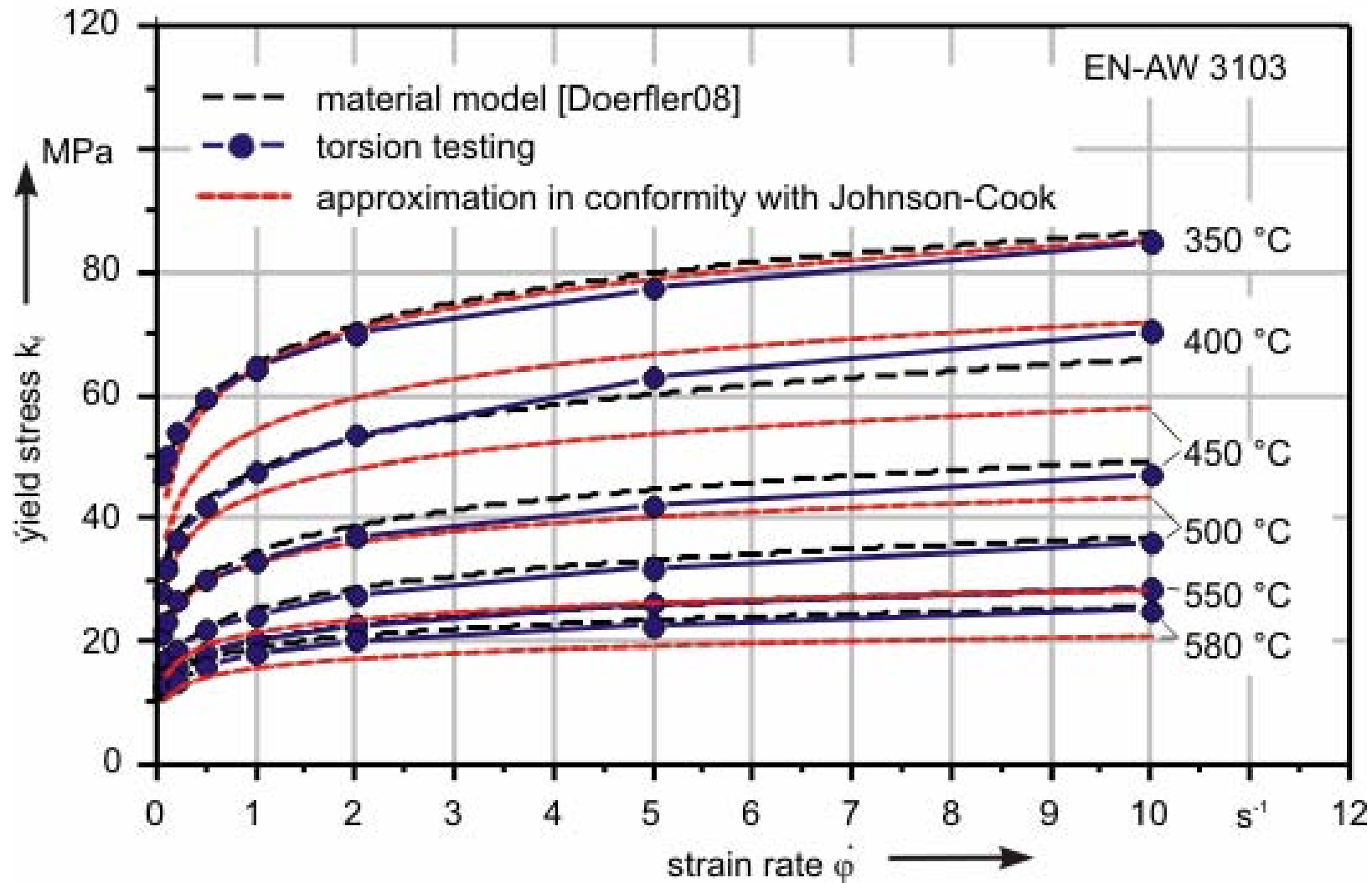
Model factor	Unit	EN-AW 3103	EN-AW 6060
aa	MPa	624,16	401,53
ba	MPa K <sup>-1</sup>	-1,4096	-0,8465
ca	MPa K <sup>-2</sup>	8,20E-04	4,60E-04
ab	MPa K <sup>-1</sup>	0,02872	3,97E-03
bb	K	958,3	2041,3
ac	s <sup>-1</sup>	0,084	2,62
bc	s <sup>-1</sup> K <sup>-1</sup>	-6,02E-05	-7,86E-03
cc	s <sup>-1</sup> K <sup>-2</sup>	1,44E-07	5,97E-06

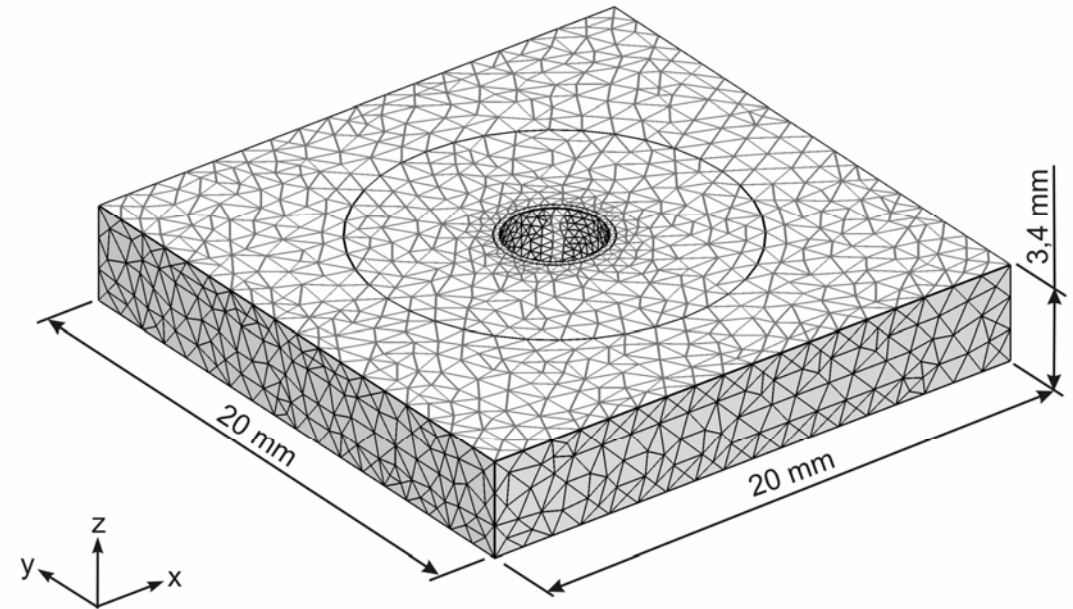
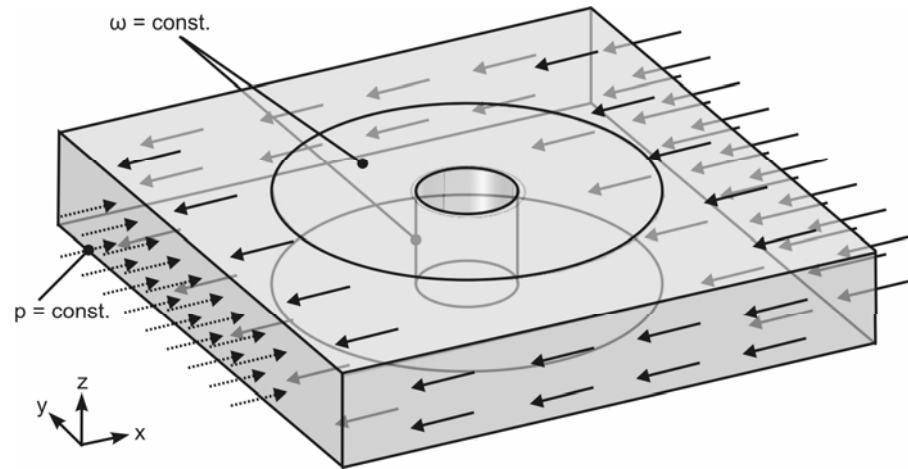
Material model in comparison to Johnson-Cook (best fit) and experimental results (from Akeret) – EN-AW 6060





Material model (Doerfler) in comparison to Johnson-Cook (best fit) and experimental results (from Akeret) – EN-AW 3103





- CFD-Model (non-newtonian fluid dynamics mode from Comsol Chemical Engineering Module)
- Material flow through model domain
- Thermal boundary conditions in conformity to experimental measurements (tool and material boundaries)
- Constant material speed at inlet
- No slip condition at tool pin

## Material model implementation in momentum equations

Bingham-Fluid

$$\left\{ \begin{array}{l} \bar{\tau} < \tau_0 : \dot{\gamma} = 0 \\ \bar{\tau} \geq \tau_0 : \bar{\tau} = \left( \frac{\tau_0}{\dot{\gamma}} + \eta \right) \cdot \dot{\gamma} \end{array} \right.$$

-> you`d need to know, where yield stress is reached and where not

$$\bar{\tau} = \left( \frac{\tau_0 (1 - e^{-m\dot{\gamma}})}{\dot{\gamma}} + \eta \right) \cdot \dot{\gamma}$$

Solution from Papanastasiou for above problem (approximation)

$$\bar{\tau} = \left( \frac{\tau_{kf}(\dot{\gamma}, T)(1 - e^{-m\dot{\gamma}})}{\dot{\gamma}} \right) \cdot \dot{\gamma}$$

Modification for strain rate and temperature sensitive materials that won`t converge

$$\bar{\tau} = \left( \frac{\tau_{kf}(\dot{\gamma}, T)^m}{(\dot{\gamma} + h)^m} \right) \cdot \dot{\gamma}$$

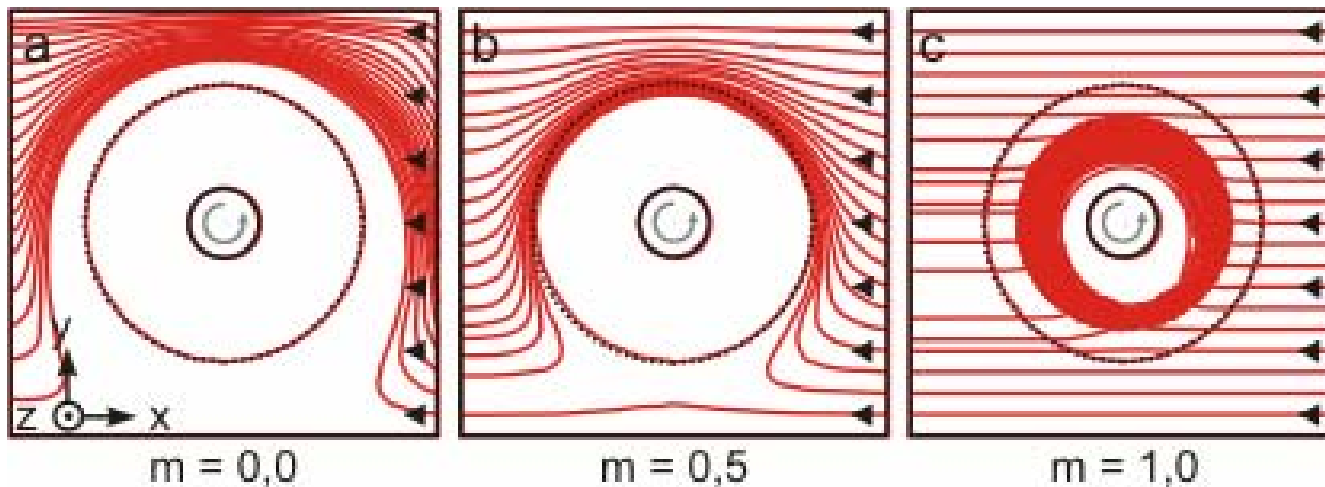
Own, converging approach using the convergence parameter m together with a small constant h

## Material model implementation in momentum equations

$$\bar{\tau} = \begin{cases} \dot{\gamma} > 0 : \left( \frac{\tau_{kf}(\dot{\gamma}, T)^m}{(\dot{\gamma} + h)^m} \right) \approx \left( \frac{\tau_{kf}(\dot{\gamma}, T)^m}{(\dot{\gamma})^m} \right) \\ \dot{\gamma} = 0 : \left( \frac{\tau_{kf}(0, T)^m}{(h)^m} \right) \end{cases}$$

$h$  is used to prevent instability due to shear rates near or equal zero ( $h \ll 1$ )

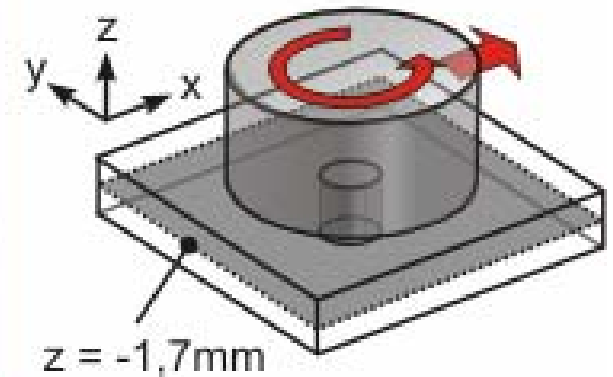
$m$  is increased from 0 to 1 using the parametric solver to determine plasticised and solid areas within the domain



Newtonian fluid

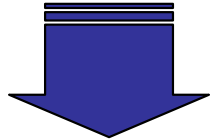
s.th. in between

yielding material





- Introduction of convection and diffusion equations to the model (level-set-method)
- Sign of virtual concentration  $c'$  determines, where which material is



Implementation:

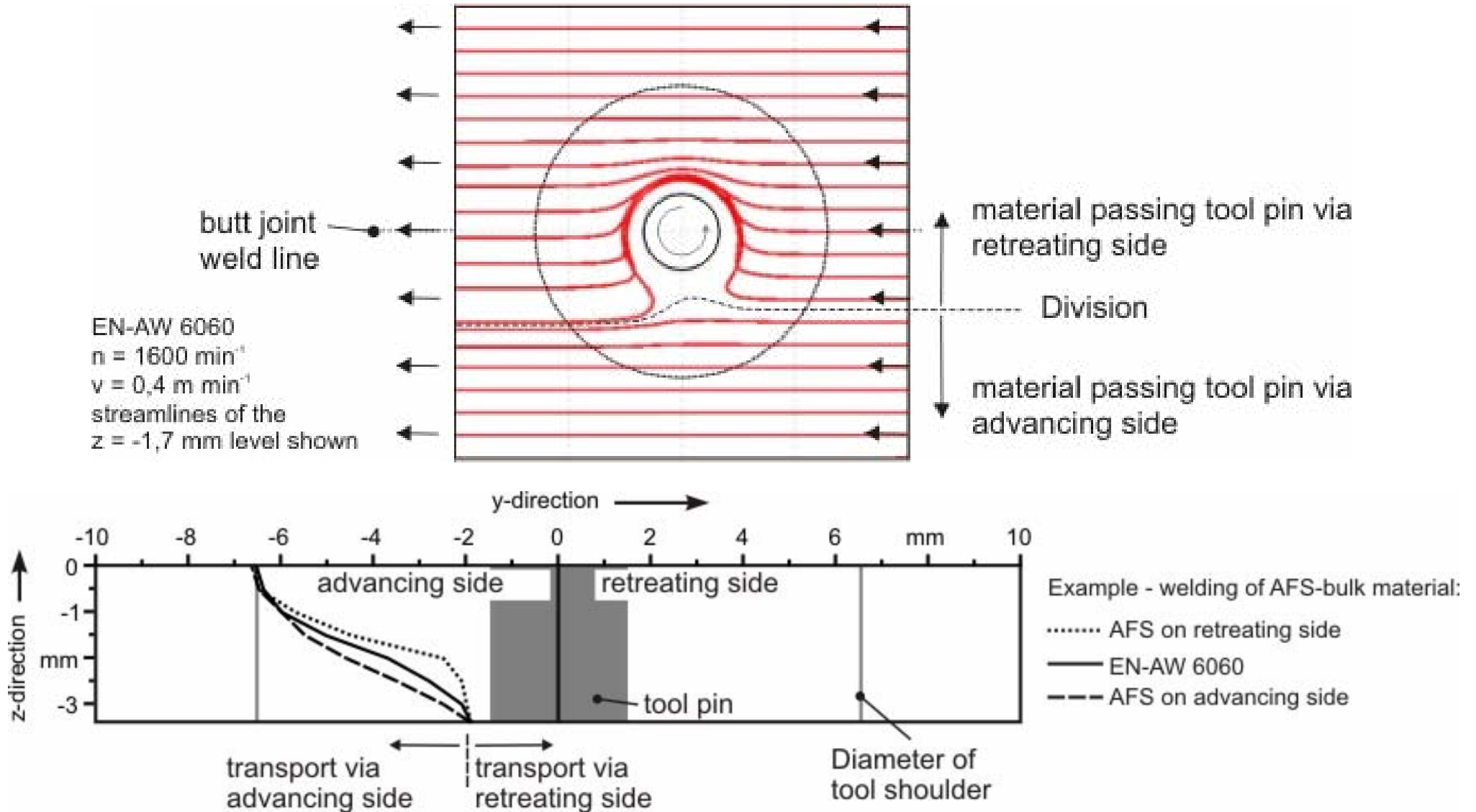
$$k_f = k_f(T, \phi, \text{sign}(c'))$$

$$k_f = k_{f1} + \frac{1}{2}(1 + \text{sign}(c')) \cdot (k_{f2} - k_{f1})$$

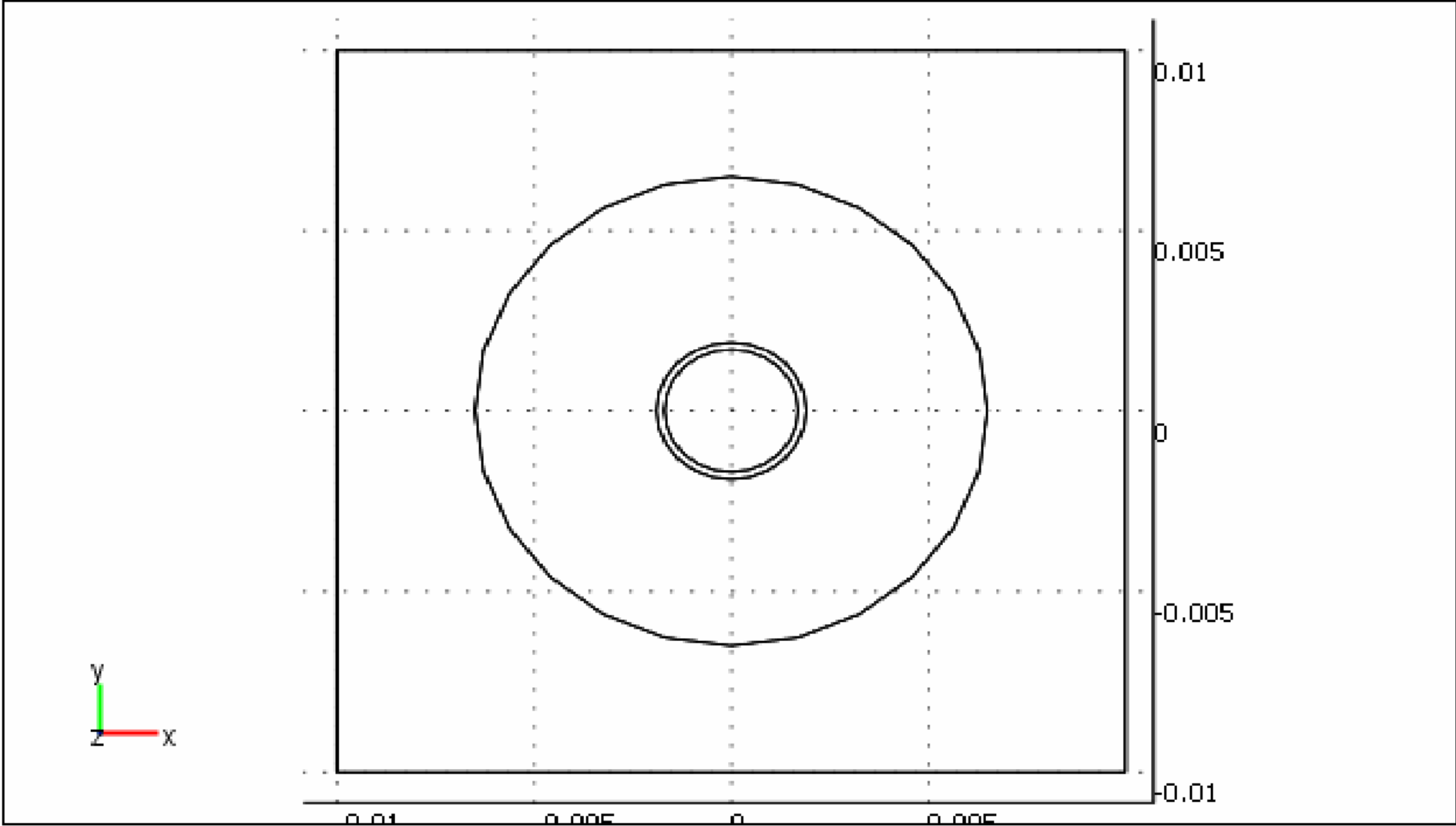
Convergence is reached by using smoothing function and another convergence factor:

$$k_f = \left[ \frac{\frac{1}{2}(1 + \text{sign}(c'))(k_{fKern} - k_{fAl}) + k_{fAl}}{k_{fAl}} \right]^{m_c} \cdot k_{fAl}$$

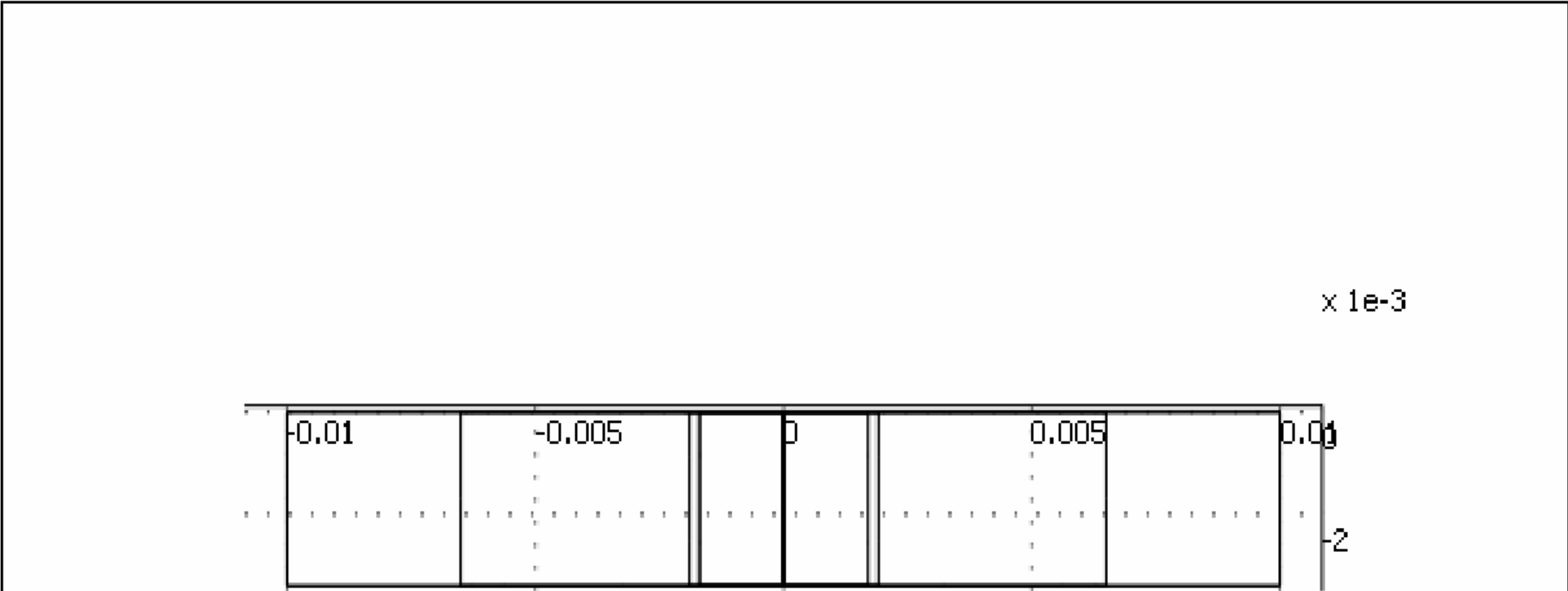
## Results: Determination of the material division on retr. and adv. side



Particle time: 0  
Particle Tracing: Velocity field



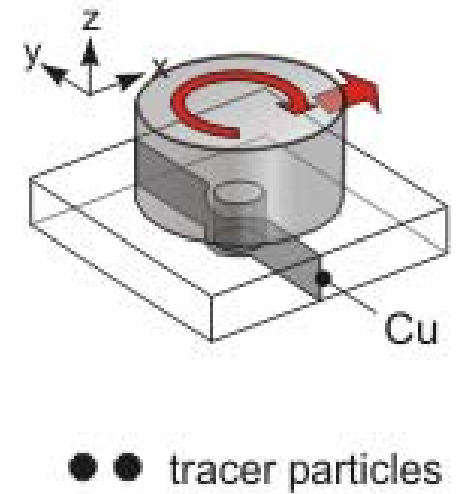
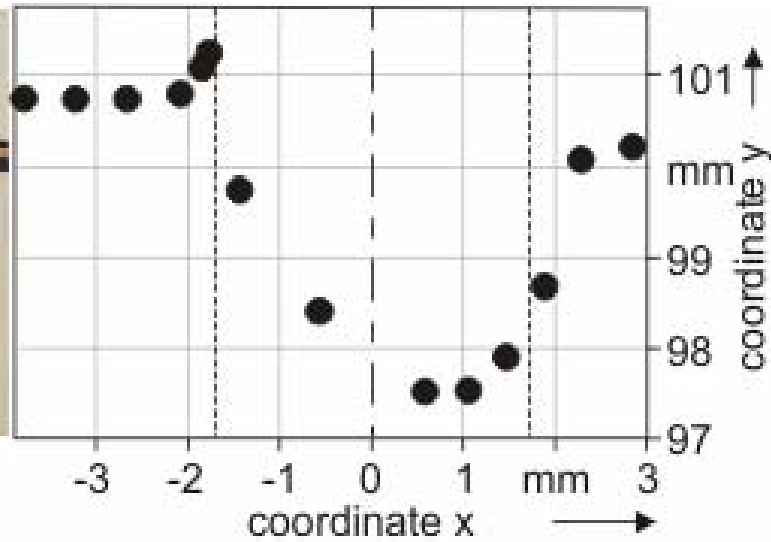
Particle time: 0  
Particle Tracing: Velocity field



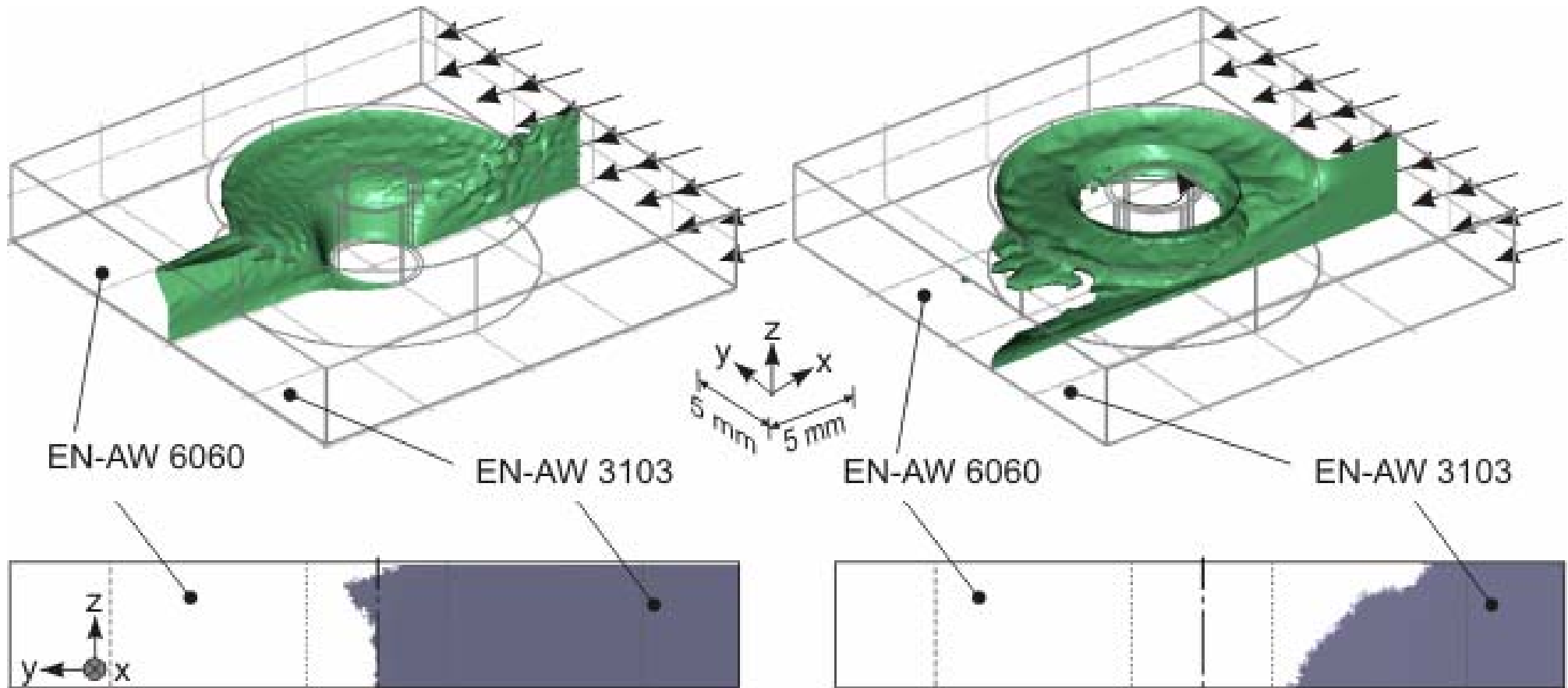




fragments of copper foil

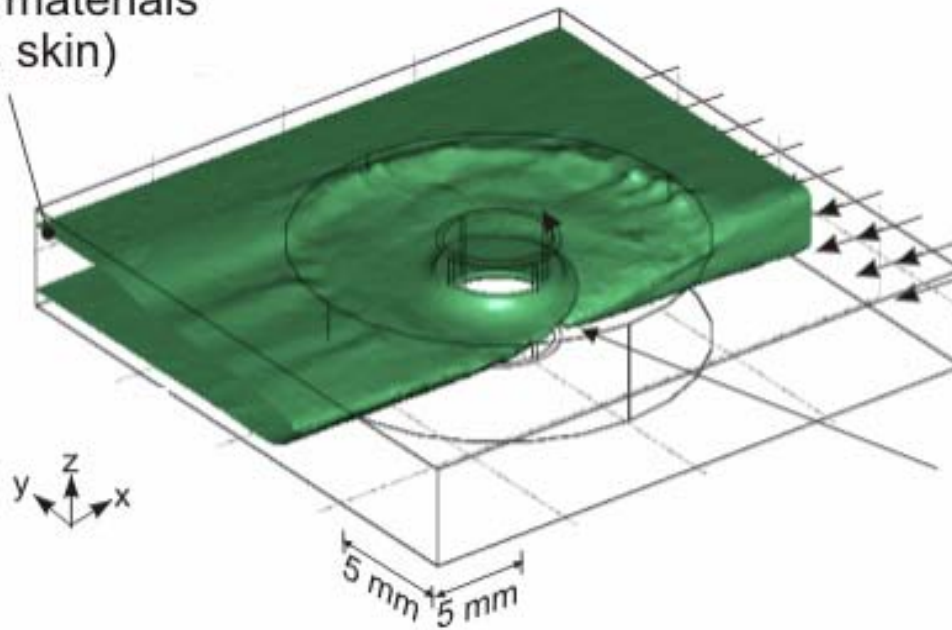


# Resulting material distribution of two different alloys due to welding process

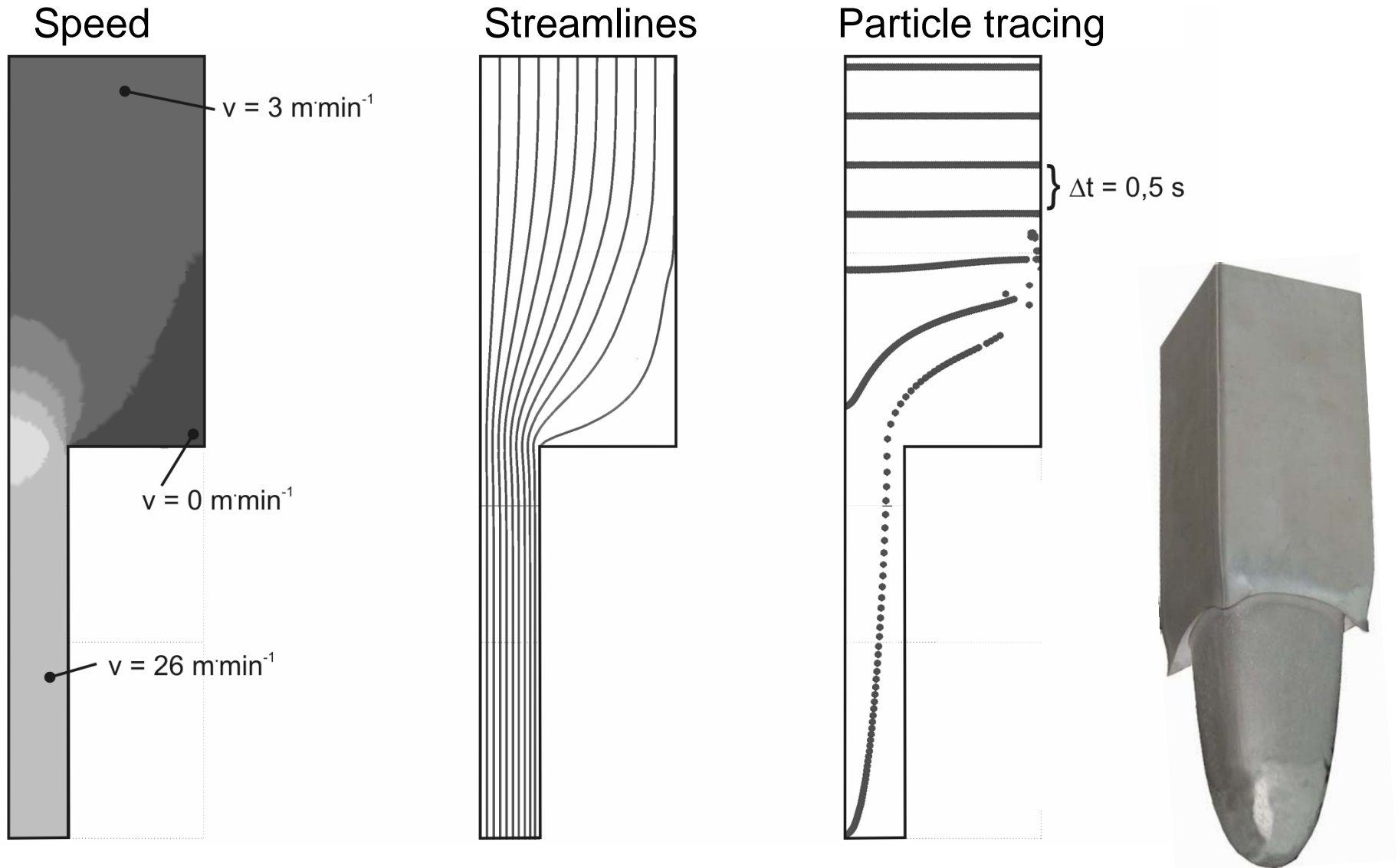


## Material distribution for special aluminum material AFS

interface between  
different materials  
(core vs. skin)

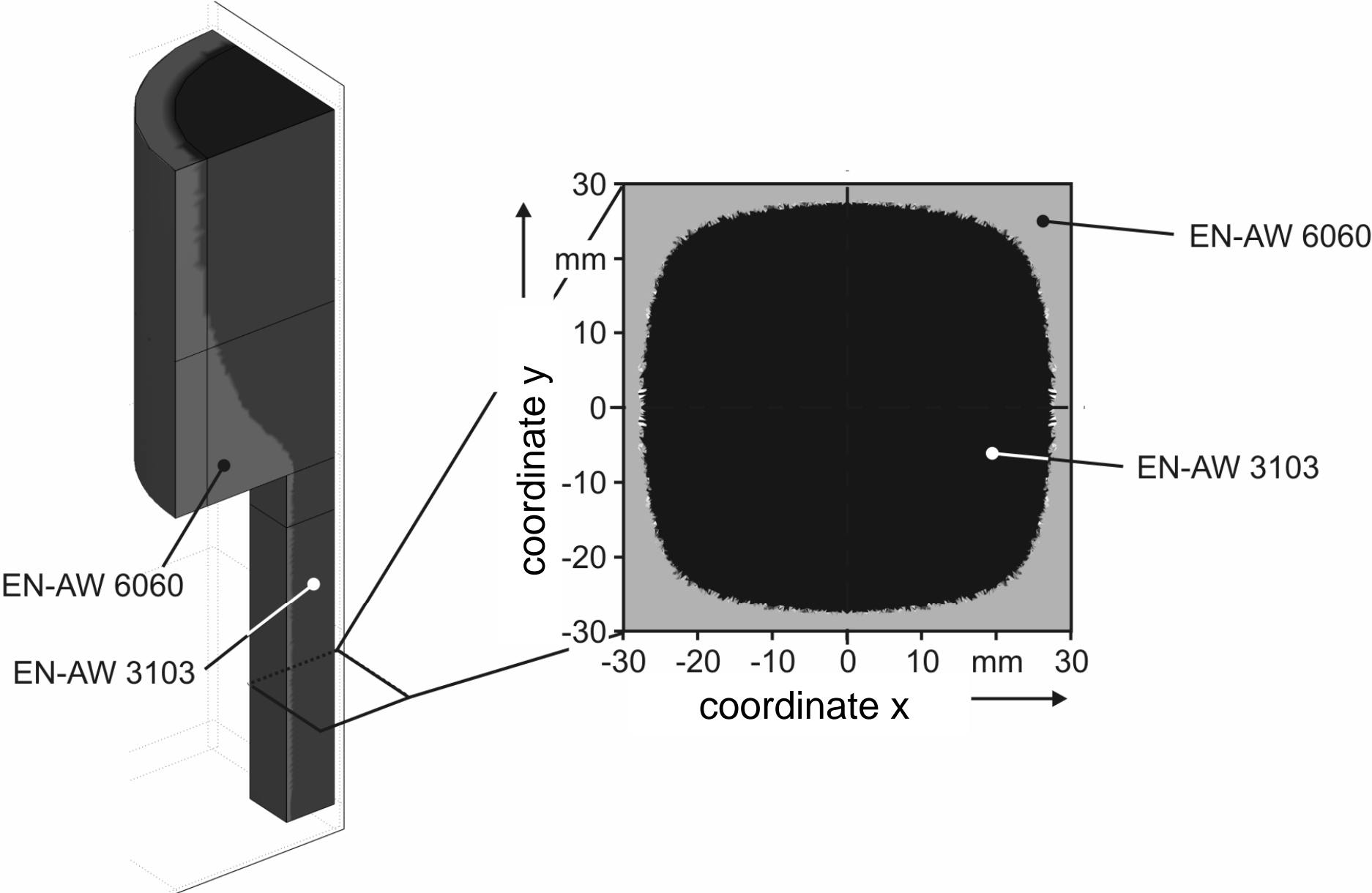


core material transport  
via retreating side





# Simulation of material distribution for the coextrusion process



- **Modelling of aluminum alloys by empirical material model leads to improved implementation of material behavior for high temperatures and strain rates**
- **Special measures for the implementation of the constitutive law are necessary**
- **Implementation of the level set method features two improvements**
  - Different properties of different materials can be implemented
  - Prediction of material distribution after welding becomes possible
- **With the improved modeling it becomes possible not only to simulate friction stir welding, but also similar processes (extrusion/coextrusion)**

**Results of this work have been elaborated in collaboration with**

- **Gronbach Group**
- **University of Erlangen-Nuremberg (Dr. Otto, Prof. Geiger)**
- **Comsol Multiphysics**

**Many thanks for this kind support...**

**... and many thanks for your kind attention!**