



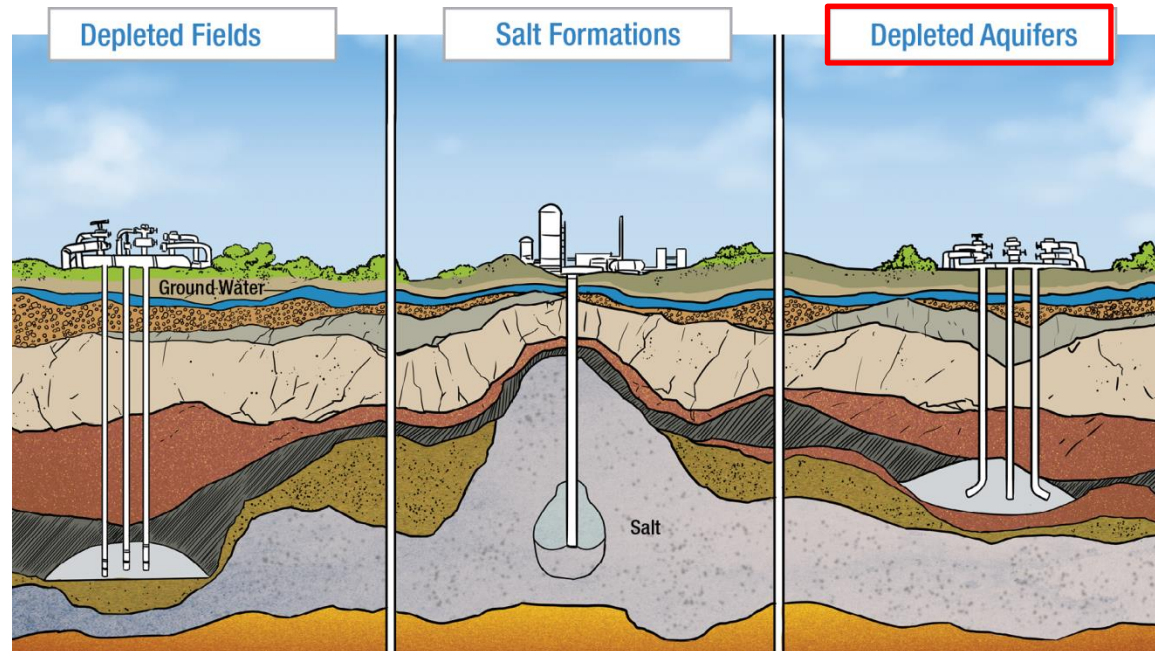
Assessment of feasible strategies for seasonal underground hydrogen storage in a saline aquifer

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www.amphos21.com

Underground Hydrogen Storage (UHS)

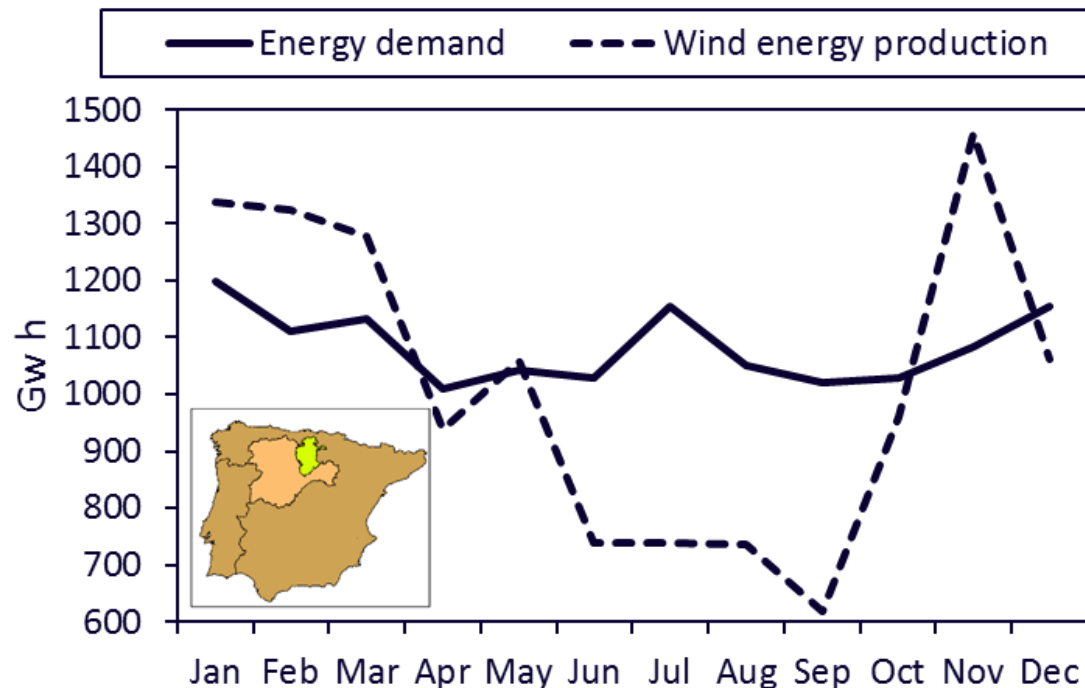
- More renewable energy production to meet climate protection agreements
- Temporary mismatches between demand and supply → **Energy storage**
- Conversion of **surplus energy** to H_2 by hydrolysis
- Storage of H_2 for its later use → vehicles, re-electrification,...
- Large volumes → Geological storage
 - **Saline aquifers** have large potential storage capacity



*Figure from energyinfrastructure.org

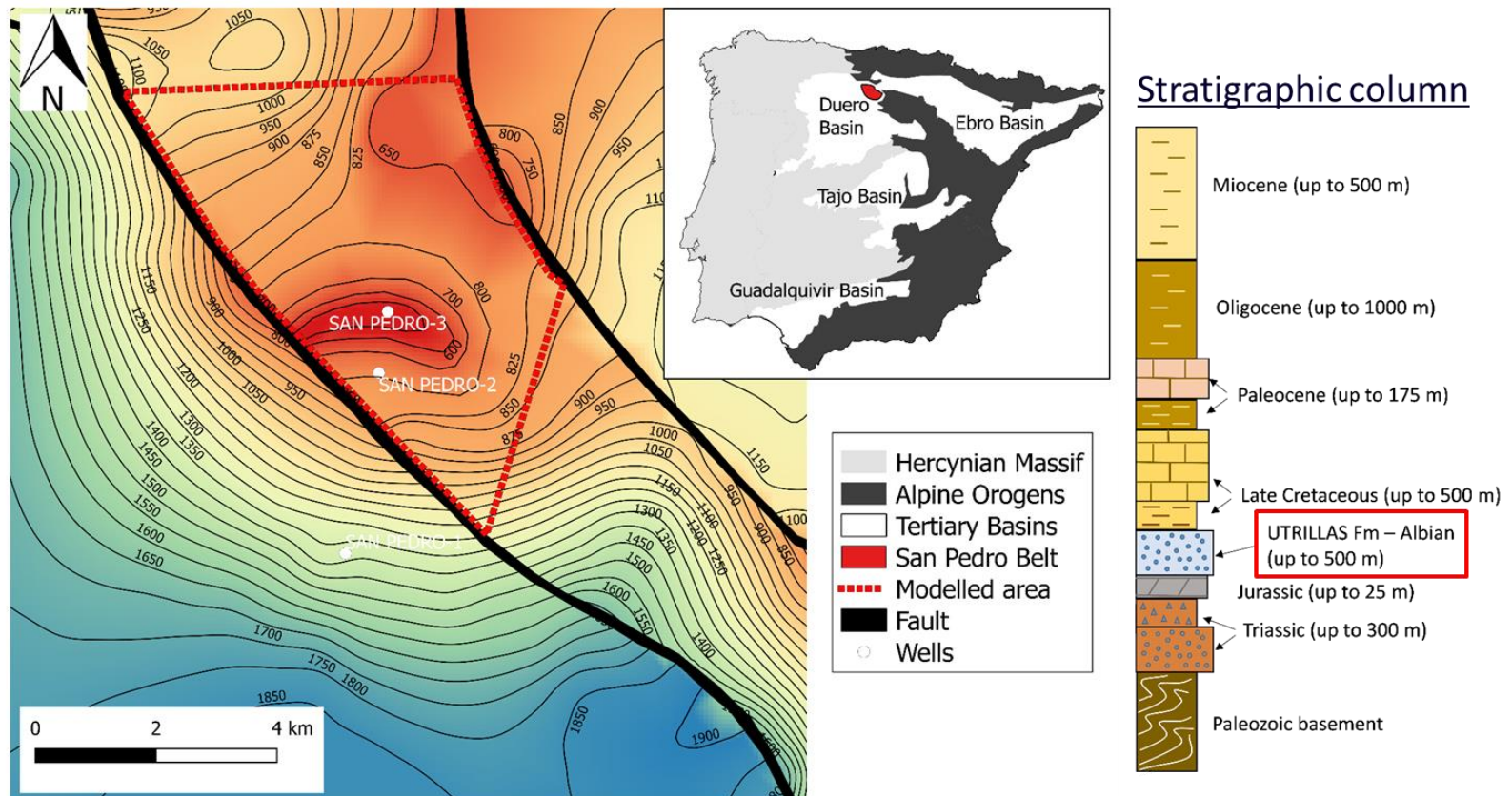
The Castilla León (Spain) case

- Leading wind power generation in Spain with **24%** of the national production
- Energy consumption is quite constant along the year, whereas wind power production is higher in fall and winter
 - Extra energy needed from June to September
 - Excess from October to May → 377 GWh assuming a **4% of surplus energy**
- If all this energy is converted to hydrogen → **7242 tons H₂**.



The Castilla León (Spain) case

- Duero basin a number of favorable structures for gas storage recognized in previous CCS projects (*ALGECO2 project*)
- San Pedro belt has been considered as candidate for hydrogen storage
 - Utrillas formation



Model description

- Mathematical model
 - Immiscible fluids \rightarrow Low solubility
 - Pure H₂ gas phase
 - Temperature gradient

Mass conservation of each phase:

$$\partial_t(\phi\rho_\alpha S_\alpha) + \nabla \cdot (\rho_\alpha \mathbf{q}_\alpha) - q_\alpha^0 = 0, \quad \alpha = l, g$$

$$\mathbf{q}_\alpha = -\frac{kk_{r,\alpha}}{\mu_\alpha}(\nabla P_\alpha - \rho_\alpha \mathbf{g})$$

Algebraic equations

$$\begin{array}{l} \text{Total saturation} \\ \text{Capillarity pressure} \\ \text{Relative permeability} \end{array} \left\{ \begin{array}{l} S_n + S_w = 1 \\ P_{cap} = P_n - P_w \\ P_{cap} = P_{cap}(S_w) \\ k_l^r, k_g^r = f(S_w) \end{array} \right.$$

$$\begin{array}{l} \text{Gas volume} \\ \text{Liquid density} \\ \text{Viscosity} \\ \dots \end{array} \left\{ \begin{array}{l} V_g = V_g(p_g, T,) \\ \rho_l = \rho_l(p_l, T,) \\ \mu_g = \mu_g(p_g, T,) \end{array} \right.$$

Model description

- Mathematical model
 - Linear combination of equations with

Variable S_g $\partial_t(\phi\rho_g S_g) + \nabla \cdot (\rho_g \mathbf{q}_g) - q_g^0 = 0$

Variable P_l $\sum_{\alpha=l,g} (\partial_t(\phi\rho_\alpha S_\alpha) + \nabla \cdot (\rho_\alpha \mathbf{q}_\alpha) - q_\alpha^0) = 0$

- Brooks-Corey retention curve equations

Name	Expression
Effective saturation	$S_e = \frac{S_l - S_l^r}{1 - S_l^r - S_g^r}$
Capillary pressure	$P_c = P_t S_e^{-1/\omega}$
Relative liquid permeability	$k_l^r = S_e^{\frac{2+3\omega}{\omega}}$
Relative gas permeability	$k_g^r = (1 - S_e)^2 \left(1 - S_e^{\frac{2+\omega}{\omega}}\right)$

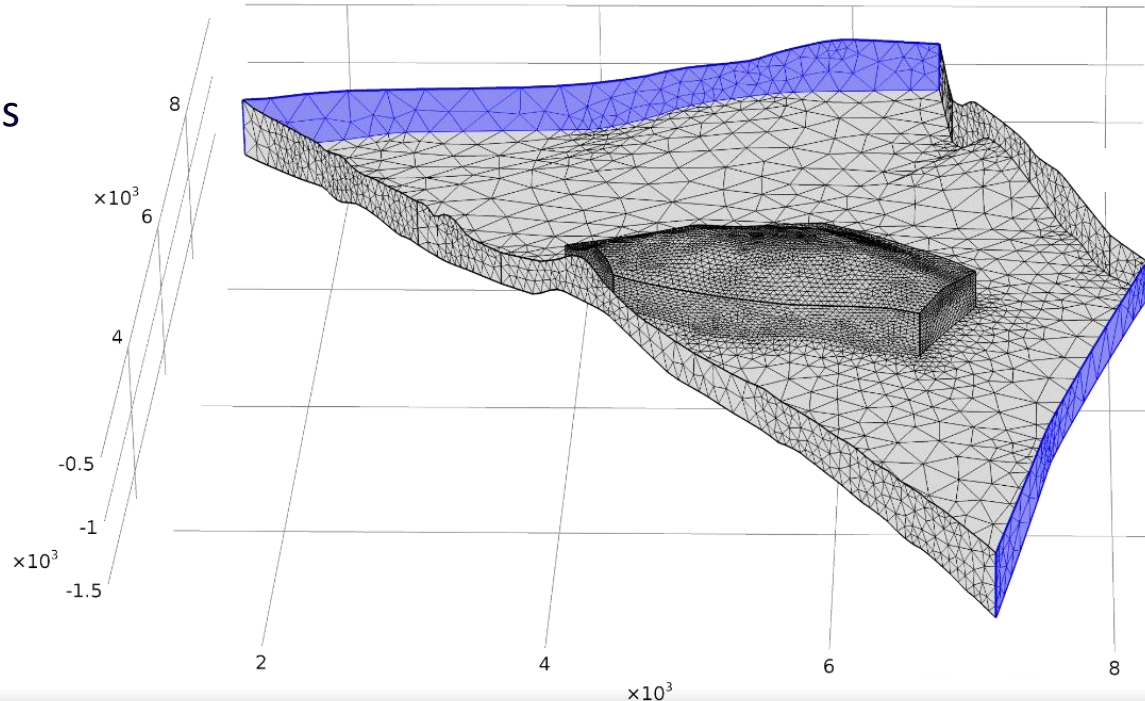
- The model is implemented in the as a coefficient form PDE interface

Model description

- Boundary conditions
 - Lateral prescribed hydrostatic pressure
 - **Injection** mass flux (Neumann Condition)
 - **Extraction** Cauchy condition in the wells
 - Wells stop if $S_g < 0.4$
 - Pressure kept between 3 and 8 MPa

$$\rightarrow q_{\alpha}^0 = -\frac{k_{well}k_{\alpha}^r}{\mu_{\alpha}}\rho_{\alpha}(P_{\alpha} - P_{well})$$

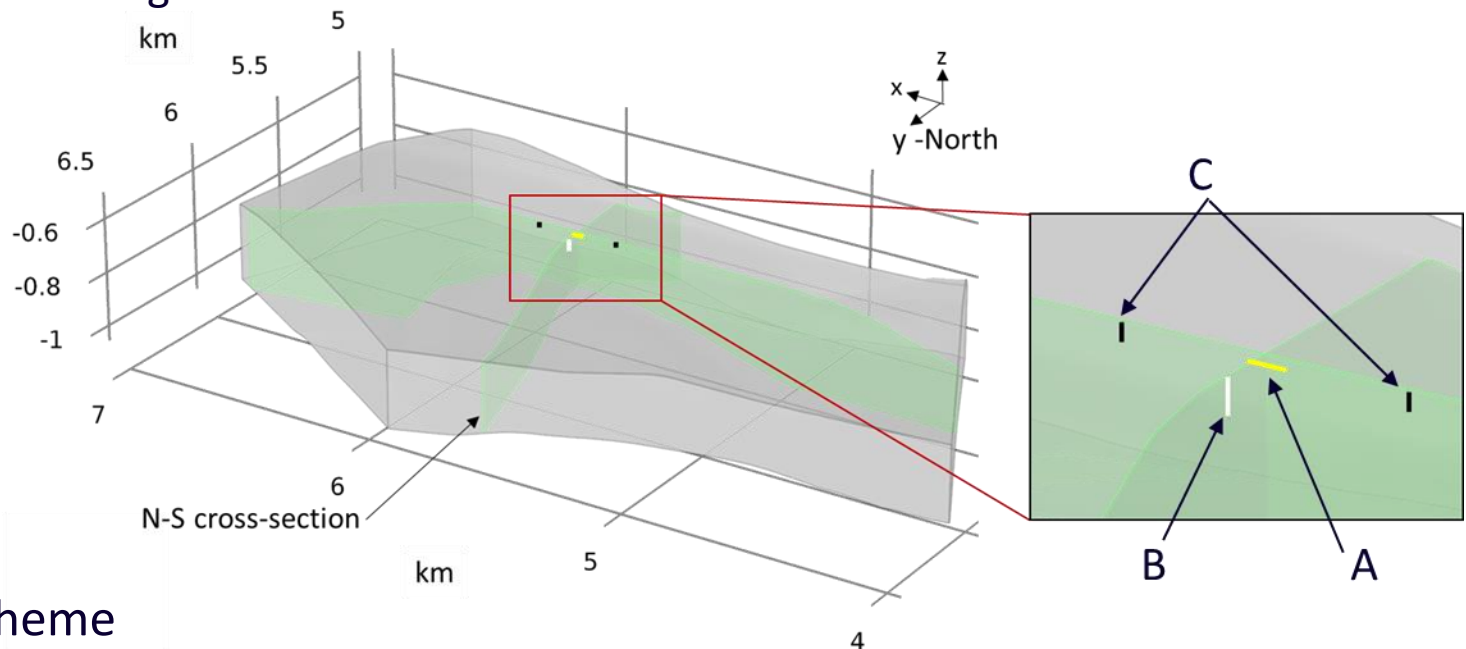
- Implemented in COMSOL
 - $2,7 \times 10^5$ tetrahedral elements



Model description

- 1 injection well
- 3 extraction well configurations

- Case A
- Case B
- Case C



- Operation scheme

- 1st of constant injection of 7492 tons of H₂
- 3 years of actual operation:
 - Injection of 7242 tons H₂ in 243 days (from October to May)
 - Extraction ????? tons H₂ in 122 days (from June to September)

Model description

- Parameters

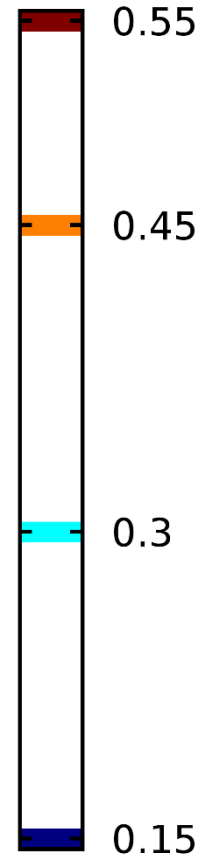
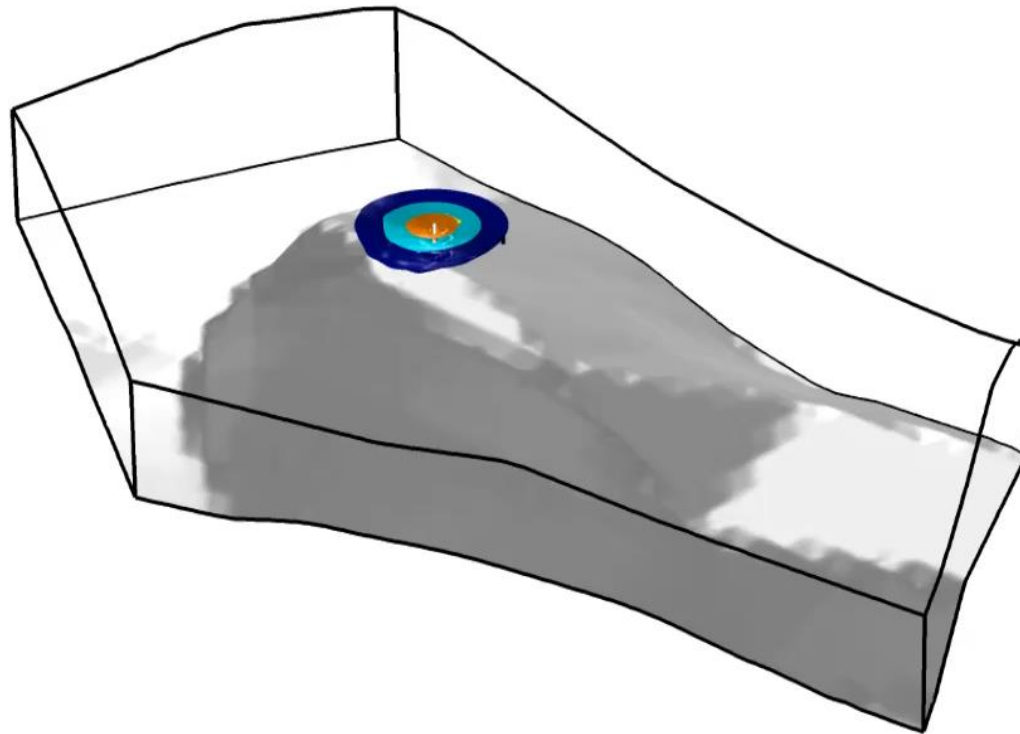
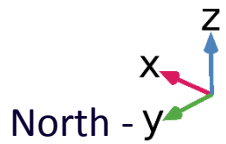
	Parameter	Symbol	Value	Unit
Aquifer	Porosity*	ϕ	0.2	-
	Permeability*	k	1×10^{-13}	m^2
	Earth surface temperature	T_0	298	K
	Thermal gradient	k_T	0.027	$K \cdot m^{-1}$
Retention curve	Entry Pressure	P_t	1×10^5	Pa
	Pore index	ω	2	-
	Residual liquid saturation	S_l^r	0.3	-
	Residual gas saturation	S_g^r	0	-
Extraction boundary condition	Well liquid pressure	P_{well}	3×10^6	Pa
	Well permeability	k_{well}	1×10^{-13}	m^2

* Data taken from the ALGECO2 project.

Results

Case A

H₂ saturation



A²¹

Results

H₂ saturation

Injection

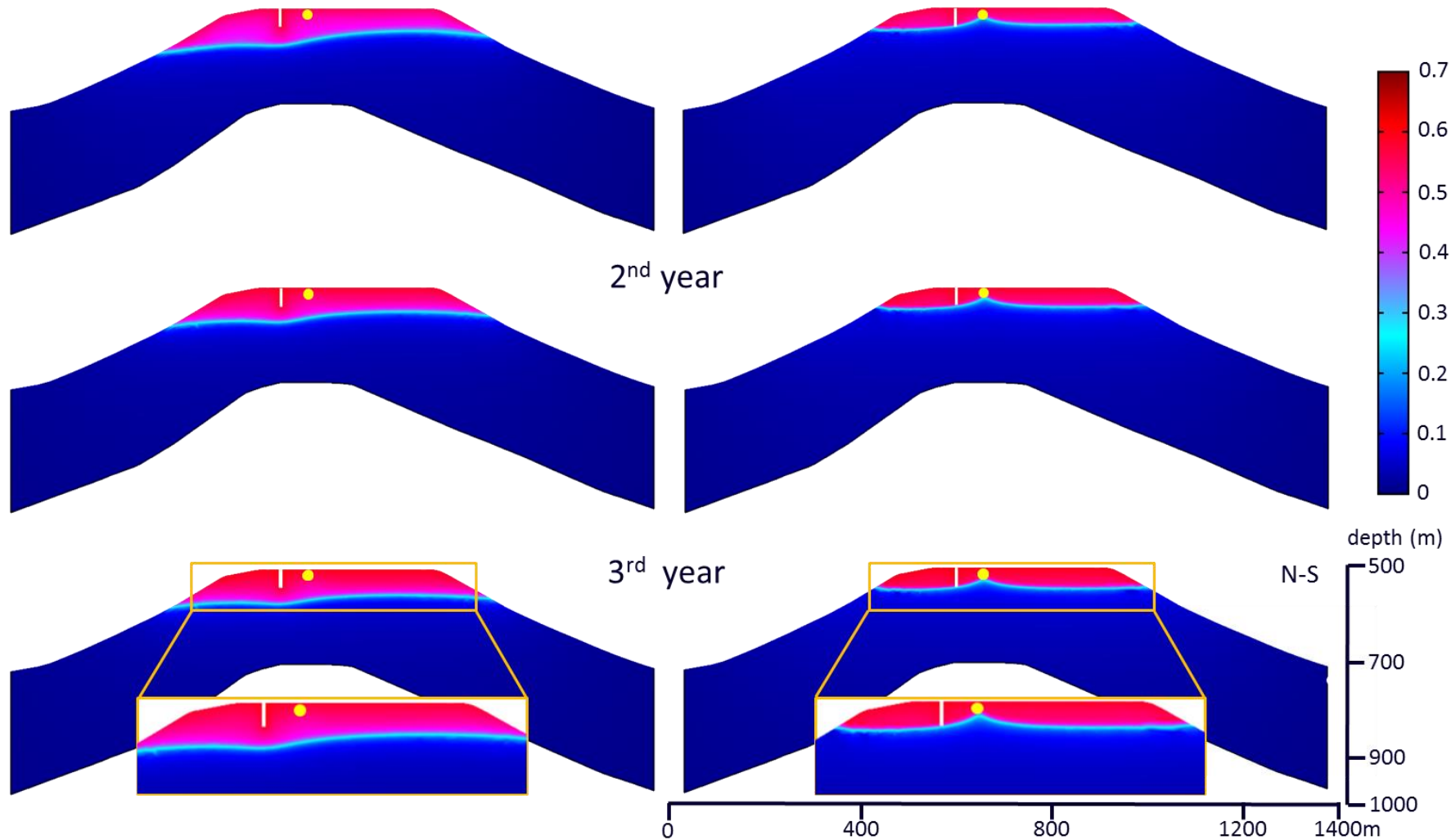
Extraction

Case A

1st year

2nd year

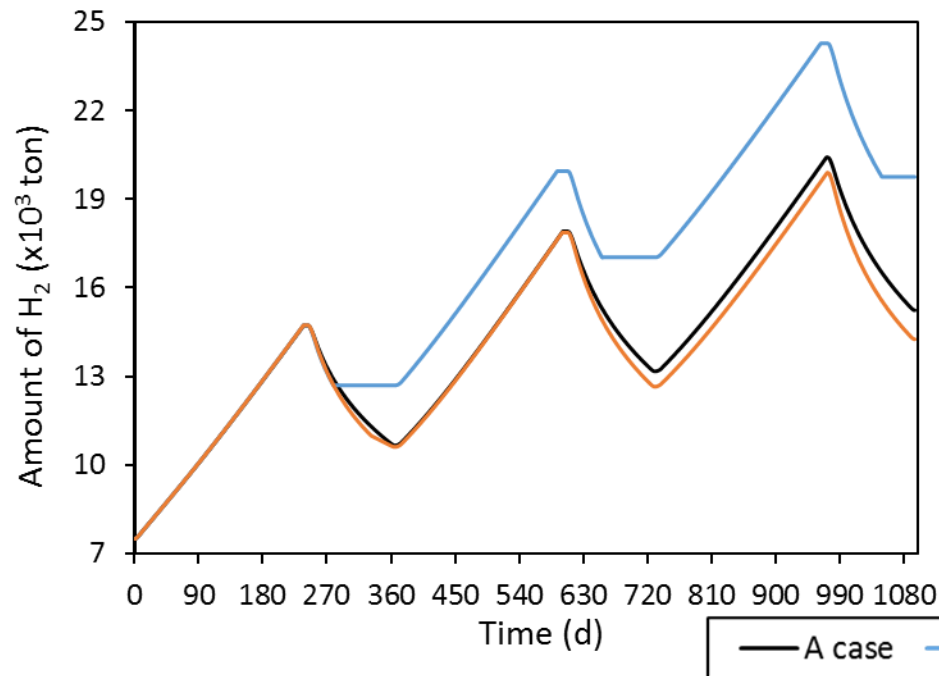
3rd year



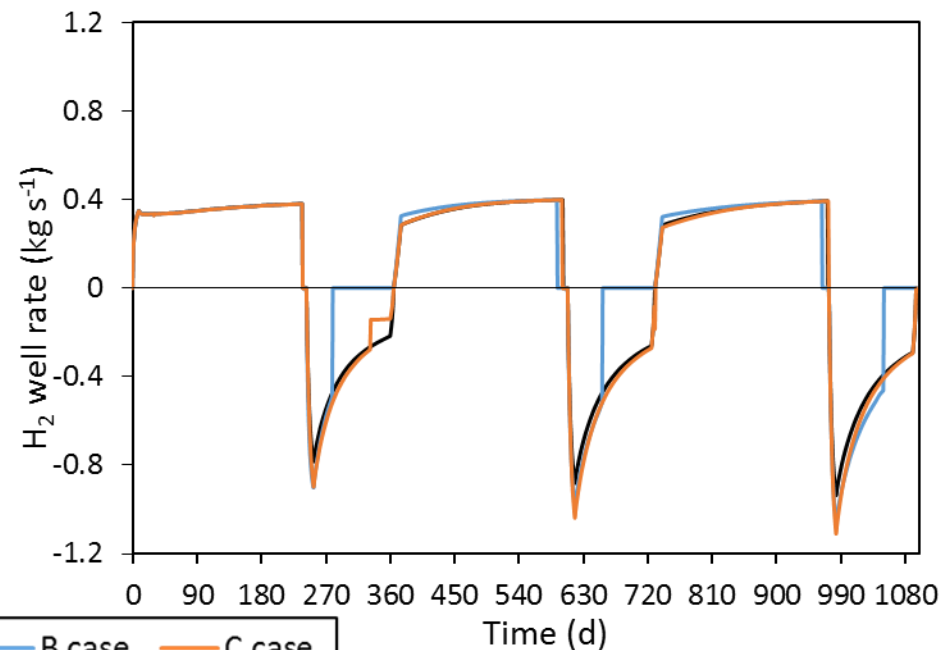
Results

- The location of the extraction wells controls the efficiency of H₂ storage
- Injection → similar flow rate between models
- Extraction → Case B and Case C (1st year 1 well) shut down due to upconing

Total H₂ mass

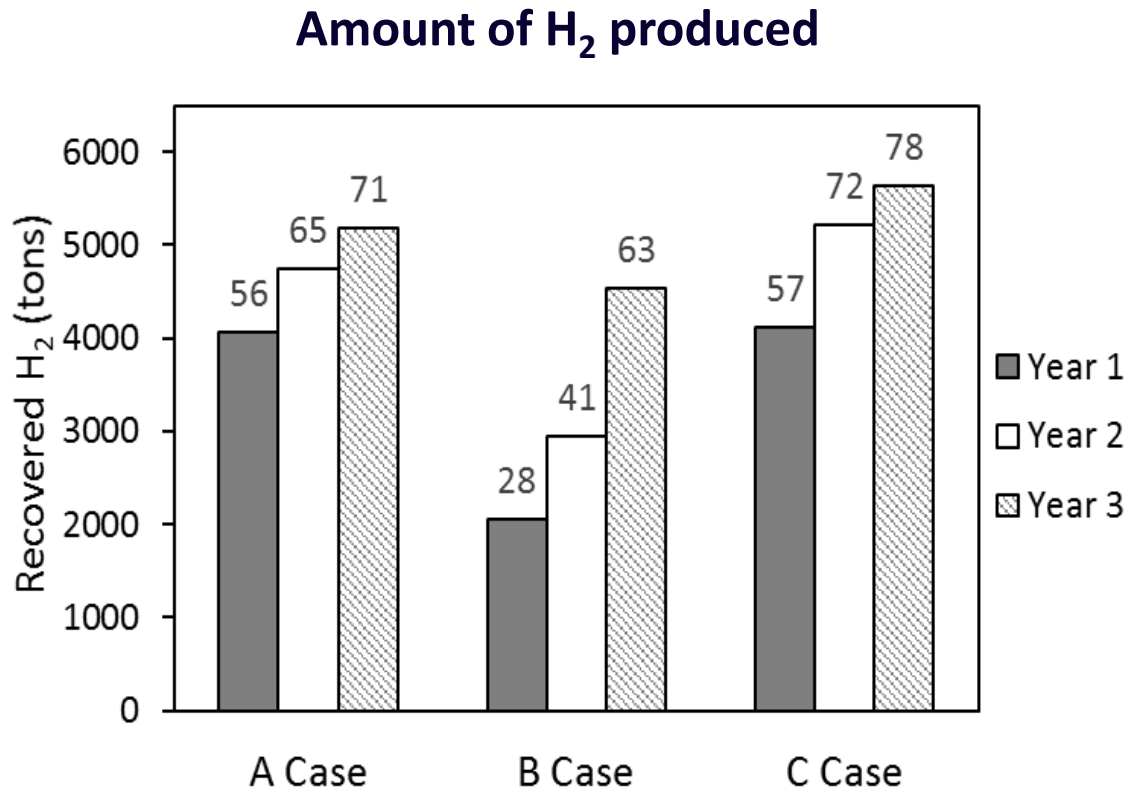


H₂ mass rate



Results

- Each year the amount of produced hydrogen increases for all cases
- Case C the best recovering ratio
- After 3 years all cases have reasonable recovery ratios (up to 78%)



Conclusions

- Reasonable recovery ratios for seasonal energy mismatches
 - 15% of the electricity consumed in the city of Burgos (175.000 inhabitants) in from June to September*
 - No H₂ crosses the spill point
 - no viscous fingering occur
- Steeply dipping structures are critical
- Upconing is the major risk on saline aquifer storage without using cushion gas
 - Appropriate extraction well configuration
 - Monitoring

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